

Exploring senior high school student's abilities in mathematical problem posing

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ABSTRACT

The ability of problem posing is very essential for the student's. However, there are still many students who don't realize the importance of these abilities. This research describes the senior high school student's ability in mathematical problem posing, especially in the material system of linear equations in three variables. Research data were collected from 7 student's using written test and interview techniques. The validity of the data used triangulation methods by comparing the results of written tests and interviews. Data were coded, simplified, presented, and triangulated for the credibility and conclusion drawing. The results show that there were still very few students who have all three classifications of problem posing abilities, namely pre-solution posing, within-solution posing, and post-solution posing. Students who have the ability of pre-solution posing can ask questions based on the data provided and can arrange problem solving. Students who have the ability of within-solution posing can write what is given and asked of the problem, raise supporting questions which is relevant to the problem and arrange solutions to the supporting questions and problems that are given correctly. Students who have the ability of post-solution posing can raise similar mathematics problem after solving the problem. Students can also arrange solutions to problems that have been made. Teacher needs to practice pre-solution posing, within-solution posing, and post-solution posing to the students.

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Introduction

One of the obstacle in learning mathematics are students experiencing difficulties in solving math problems (Murtianto, Muhtarom, Nizaruddin, & Suryaningsih, [2019](#); Siswono, [2011](#)). Siswono ([2011](#)) explains that these obstacles can be overcome if students have problem posing abilities. Using the problem posing ability, students can discover knowledge through the efforts for relationships of information learned. Students can ask questions based on the conditions exist: mathematical problems have been solved and the information is given. Problem posing ability can encourage students to make connections between different concepts so that they can build their understanding (Mahmudi, 2011; Rachmawati, Sugandi, & Prayitno, [2019](#)). Study of Silver and Cai ([1996](#)) resulted that problem-posing has a positive impact on students' ability in problem solving. Problem-posing can help students apply problem solving abilities (Arofah & Masriyah, [2019](#);

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Ghasempour, Bakar, & Jahanshahloo, [2013](#); Rosli, Capraro, & Capraro, [2014](#)). Besides, Rosli, Goldsby, and Capraro ([2013](#)) argued that problem-posing in mathematics learning showed positive and meaningful results on mathematics achievement, problem solving abilities, and students' attitudes towards mathematics. Problem posing is a task that asks students to formulate problems and create problems.

Researches categorized in problem posing have been described by Silver and Cai ([1996](#)) and Stoyanova ([2005](#)). Silver and Cai ([1996](#)) classified problem-posing into pre-solution posing, within-solution posing, and post-solution posing. Pre-solution posing is students who express problems from the data provided using their sentences, and arrange problem solving under the problems raised. Within-solution posing is students who posing relevant questions or questions that can support problem solving from a given problem, arranging solutions to relevant questions and using relevant problem solving to arrange problem solving. Students who have the post-solution posing ability can raise new problems that similar to the solved problems, and arrange solutions to the problems that have been made. In making new questions based on statements given, students can do, among others, by giving questions about the specific purpose of the information added, the addition of information, and the general purpose of the problem. Arikani and Ünal ([2015](#)) states that formulation of a problem that has been resolved previously can be done by adding information, changing the context, combination, changing what is given, changing what is asked, simplifying the problem, exchanging what is given by what was asked.

Stoyanova ([2005](#)) explains three categories in problem posing, namely reformulation, reconstruction and imitation of the problem. Problem reformulation is when students rearrange problems with the information, it does not change nature of the problem. Adding information does not change the problem. Problem reconstruction is the activity of modifying the nature of the initial problem but not changing the intent or purpose of the problem. The imitation of the problem is when students arrange problems with the addition of structures related to information provided, change the intent and purpose of the problem. Problem posing can be interpreted as an activity asking students to ask mathematical problems based on the information provided, as well as solving problems that have been made. Thus, problem-posing is not limited to the formation of new problems, but a subject can mean reformulating the problem given. Table 1 categories problem posing that have been described by Silver and Cai ([1996](#)) and Stoyanova ([2005](#)). Furthermore, problem posing in this research was used the theory described by Silver and Cai ([1996](#)).

Table 1
Categories problem posing

Silver and Cai (1996)	Stoyanova (2005)	Description
Pre-solution posing	Reformulation	Recognizing or using directly the information in the original problem.
Within-solution posing	Reconstruction	Arrange relevant questions that can support problem solving and arrange the solutions to relevant questions.
Post-solution posing	Imitation	Create new problems and arrange solutions to problems that have been made.

Problem-posing ability can make students actively learn mathematics (Barlow & Cates, [2006](#)) and assist students in developing problem solving ideas (English, [1997](#); Xia, Lu & Wang, [2008](#)). Students who have good problem posing abilities, also have good problem solving abilities (Ayllón, Gomez, & Ballesta-Claver, [2016](#); Silver & Cai, [1996](#); Xie & Masingila, [2017](#)). It means that the ability of problem posing needs to be owned by

students. However, this research has not yet described the students' problem posing abilities. From above analysis, it is urgent to conduct this research in order to make description of students' problem posing abilities so that they can be a foothold in developing students' problem solving abilities. Based on the description above, this research will focus on description of students' the problem-posing ability.

Research Methods

This research used a qualitative method because it is carried out in reality or natural conditions and is not manipulated by researchers. The characteristic of concern is the meaning to describe the facts. This research explored the ability of students posing problems, especially in the system of linear equation systems on three variables. The research was conducted on 40 students of Senior High School in Pati Regency, Central Java. The research participants were selected using a purposive sampling technique that has good communication skills both verbally and in writing based on the consideration of the mathematics teacher. The instruments used in this research was a written test (see the Appendix) and a guided interview based on the problem posing task. Before using the instrument, the instruments was first validated by three validators who are experts in mathematics education and were declared eligibility to be used to measure students' problem posing abilities.

The data were collected in two stages. The first stage of data collection is to provide written tests to 40 senior high school students. Table 2 presents a clear description of the results of the data analysis of the 40 students. The second stage is conducting interviews with research subjects, where the interview time is based on mutual agreement. Then seven subjects were chosen, namely A1, B3, C1, D3, E2, F3, and G5; who have good communication skills to do in-depth interviews to get a comprehensive picture of the problem-posing of students' abilities. Furthermore, the data was validated using the triangulation method. Results of the triangulation was valid participant data for describing of the problem-posing ability of students (Miles & Huberman, 2002; Moleong, 2008). Qualitative data had been analyzed using data reduction technique, data presentation, and conclusion (Miles & Huberman, 2002). These three data analysis activities were not hierarchical but were interwoven interrelated activities from before, during and after data collection.

Table 2
Research participants

Ability of Problem-Posing	Participant Code	Selected Participant With Code*
Pre-solution posing	A1*, A2, A3, A4, A5	A1
Within-solution posing	B1, B2, B3*	B3
Post-solution posing	C1*, C2, C3, C4, C5, C6, C7, C8	C1
Pre-Within solution posing	D1, D2, D3*	D3
Pre-Post solution posing	E1, E2*, E3, E4, E5, E6, E7, E8, E9	E2
Within-Post solution posing	F1, F2, F3*, F4	F3
Pre-Within-Post solution posing	G1, G2, G3, G4, G5*, G6, G7, G8	G5

Results and Discussion

Figure 1 obviously shows that A1 had the ability of pre-solution posing. Participant can only raise questions based on the data provided and can arrange solutions to problems using mixed methods: elimination and substitution. Participant B3 had the ability of

within-solution posing. The participant can write down what is given and what is asked of the problem given and raise questions relevant to the problem given to support problem solving, for example how much is the price of 1kg of thorny palm, 1kg of orange, and 1kg of apple? Furthermore, the participant can arrange the completion of relevant questions that have been raised by using the determinant method. Participant C1 is identified as a post-solution posing type. He arranges similar problems after solving the given problem. C1 can analyze the problems so that he can arrange relevant new problems. Then the C1 can choose the right concepts, procedures, and problem solving methods in solving the new problem, namely using a combination of substitution and elimination methods. After choosing the procedures to solving the problem, participant C1 can solve the problem that he made. Clearly, the results of data analysis of participants A1, B3 and C1 are presented in Table 3.

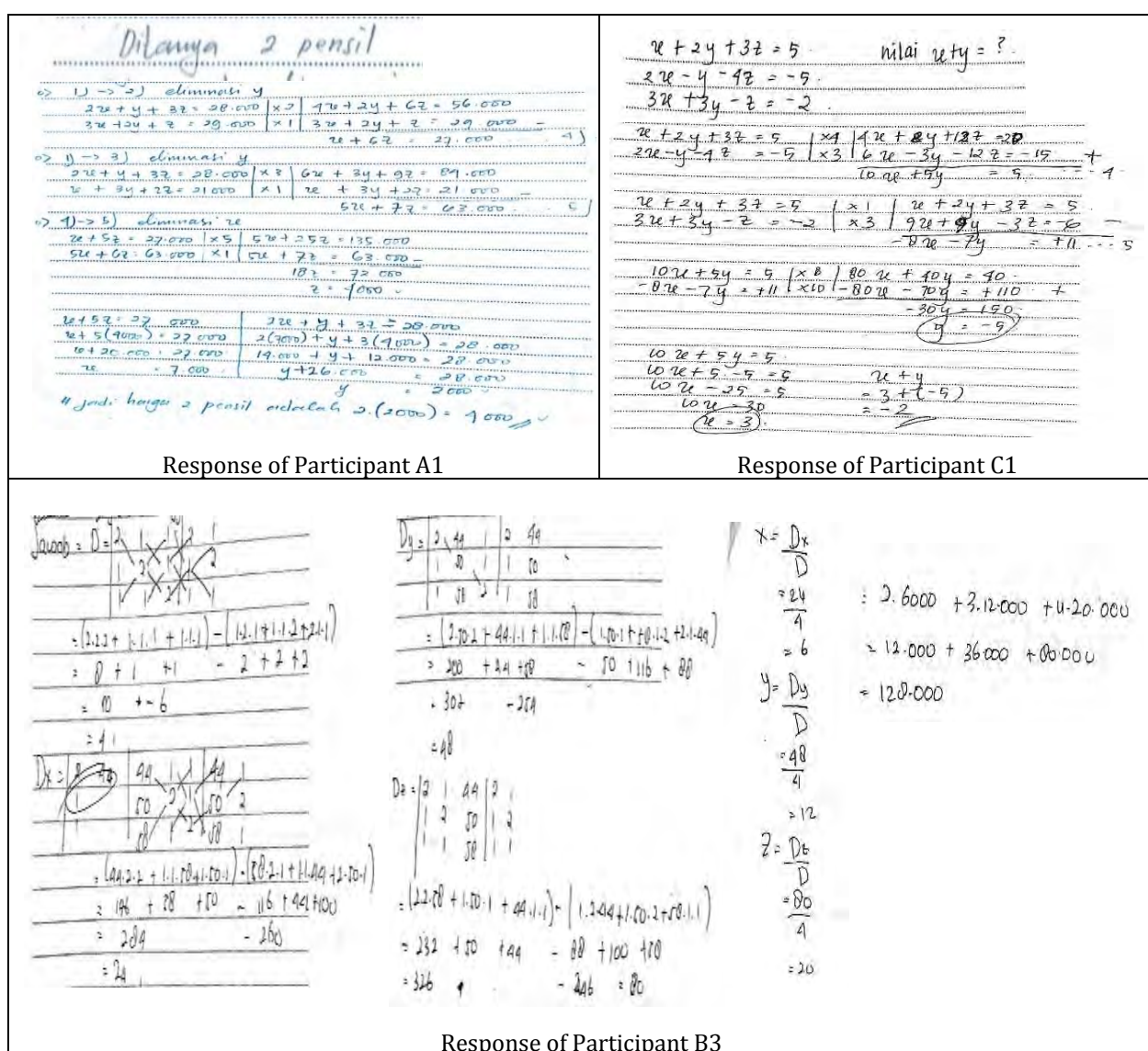


Figure 1. Response of participant A1, B3 and C1

Table 3
Analysis results of participant A1, B3 and C1

Participant	Kind of problem-posing	Written test	Interview
A1	Pre-solution posing	Being able to raise questions based on data provided using own sentences, and arrange solutions to the problems raised.	Being able to express information from questions given using the sentence itself, determine the method of solving problems and arrange problem solving.
B3	Within-solution posing	Being able to write information from problems, raising supporting questions that are relevant to the problem, and arrange solutions to supporting questions that have been raised.	Being able to write information about problems, raising supporting questions that are relevant to the problem, and determine methods and arrange solutions to supporting questions that have been raised
C1	Post-solution posing	Being able to arrange a similar problem after resolving a given problem, and arrange solutions to problems that have been made.	Being able to arrange a similar problem after resolving a given problem, and arrange solutions to problems that have been made.

The image shows handwritten mathematical work for participant D3. On the left, there is a system of linear equations in three variables (SLK) with three equations and three variables (x, y, z). The equations are:

$$\begin{cases} 2x + y + 3z = 28.000 & (1) \\ 3x + 2y + z = 29.000 & (2) \\ 2x + 3y + 2z = 21.000 & (3) \end{cases}$$

The participant uses elimination to reduce the system to two equations in two variables (SLD):

$$\begin{cases} 4x + 2y + 6z = 56.000 & (1) \\ 3x + 2y + z = 29.000 & (2) \end{cases}$$

$$\begin{cases} 9x + 6y + 3z = 87.000 & (3) \\ 2x + 6y + 4z = 47.000 & (4) \end{cases}$$

Further elimination leads to a single equation in one variable:

$$36x = 252.000 \Rightarrow x = 7.000$$

Substituting $x = 7.000$ back into the equations yields:

$$\begin{cases} 2(7.000) + y + 3z = 28.000 \Rightarrow y + 3z = 14.000 & (1) \\ 3(7.000) + 2y + z = 29.000 \Rightarrow 2y + z = 8.000 & (2) \end{cases}$$

$$\begin{cases} 2y + z = 8.000 & (2) \\ 2y + 3z = 14.000 & (1) \end{cases}$$

$$2z = 6.000 \Rightarrow z = 3.000$$

$$2y + 3.000 = 8.000 \Rightarrow 2y = 5.000 \Rightarrow y = 2.500$$

Final solution: $x = 7.000, y = 2.500, z = 3.000$.

On the right side of the image, there is another handwritten solution for the same system of equations, using a different method (substitution). It starts with:

$$\begin{cases} 2x + y + 3z = 28.000 & (1) \\ 3x + 2y + z = 29.000 & (2) \\ 2x + 3y + 2z = 21.000 & (3) \end{cases}$$

From equation (1), $y = 28.000 - 2x - 3z$. Substituting this into equation (2):

$$3x + 2(28.000 - 2x - 3z) + z = 29.000$$

$$3x + 56.000 - 4x - 6z + z = 29.000$$

$$-x - 5z = -27.000 \Rightarrow x = 27.000 - 5z$$

Substituting $x = 27.000 - 5z$ into equation (3):

$$2(27.000 - 5z) + 3y + 2z = 21.000$$

$$54.000 - 10z + 3y + 2z = 21.000$$

$$3y - 8z = -33.000 \Rightarrow 3y = 8z - 33.000 \Rightarrow y = \frac{8z - 33.000}{3}$$

Substituting $x = 27.000 - 5z$ and $y = \frac{8z - 33.000}{3}$ into equation (1):

$$2(27.000 - 5z) + \frac{8z - 33.000}{3} + 3z = 28.000$$

$$54.000 - 10z + \frac{8z - 33.000}{3} + 3z = 28.000$$

$$162.000 - 30z + 8z - 33.000 + 9z = 84.000$$

$$129.000 - 22z = 84.000$$

$$-22z = -45.000 \Rightarrow z = 2.045$$

Substituting $z = 2.045$ back into the equations for x and y :

$$x = 27.000 - 5(2.045) = 16.775$$

$$y = \frac{8(2.045) - 33.000}{3} = -9.767$$

The final solution is $x = 16.775, y = -9.767, z = 2.045$.

Figure 2. Response of participant D3

Figure 2 shows that D3 had the ability to pre-solution posing and within-solution posing. For the ability of pre-solution posing, it can be seen when the participant raises questions from the data provided, and arranges problem solving using mixed methods: elimination and substitution. The ability of within-solution posing can be seen from the participant can write what is given and asked of the problem, raise supporting questions relevant to the problem and arrange the resolution of the supporting questions and problems given correctly. Clearly, the results of data analysis of participant D3 are presented in Table 4.

Table 4
Analysis results of participant D3

	Written test	Interview
Pre-solution posing	Being able to raise questions based on data provided using own sentences, and arrange solutions to the problems raised.	Being able to raise questions based on data provided using their own sentences, and arrange solutions to the problems raised.
Within-solution posing	Being able to write information from problems, raising supporting questions that are relevant to the problem, and arrange solutions to supporting questions that have been raised.	Being able to write information about problems, raising supporting questions that are relevant to the problem, and determine methods and arrange solutions to supporting questions that have been raised

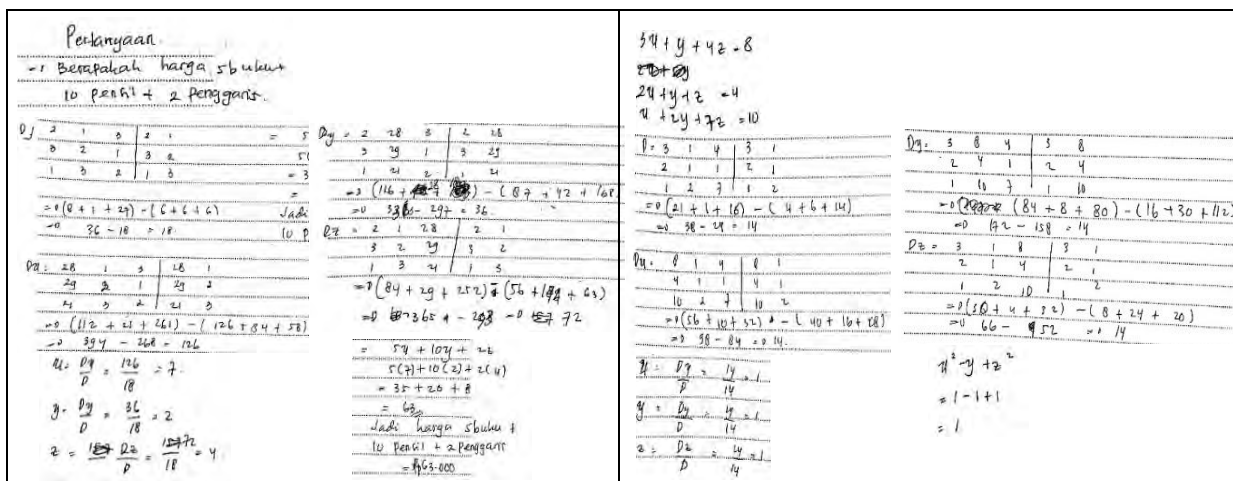


Figure 3. Response of participant E2

Figure 3 clearly shows that E2 had the ability to pre-post solution posing and post-solution posing. For the ability of pre-solution posing, it can be seen when the participant raises questions from the data provided and can determine the problem solving method used and compile the problem solving that has been raised. The ability of post-solution posing can be seen from the participant can raise similar problems after solving the given problem, and can also arrange solutions to the problems that have been made. Clearly, the results of data analysis of participant E2 are presented in Table 5.

Table 5
Analysis results of participant E2

	Written test	Interview
Pre-solution posing	Being able to raise questions based on data using own sentences, and arrange solutions to problems that have been raised.	Being able to raise questions based on available information, determine the solution to the problem to be used, and can arrange solutions to the problems that have been raised.

Post-solution posing	Being able to arrange the solution to the problem given, put forward a similar problem after solving the problem given, and can arrange solutions to the problems that have been made.	Being able to arrange the problem solving that is given well, put forward similar problems, and can determine the method of solving problems and arrange solutions to the problems that have been made. The subject explains the completion steps using the understanding conveyed by the teacher.
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Figure 4 shows that F3 had the ability to within-post solution posing and post-solution posing. For the ability within-solution posing, it can be seen when the participant can write what is given and what is asked, raise supporting questions that are relevant to the problem and arrange solutions to relevant supporting questions and use them to arrange the problem solving given. The ability of post-solution posing can be seen from the participant can raise similar problems after solving the given problem, and can also arrange solutions to the problems that have been made. Clearly, the results of data analysis of participant F3 are presented in Table 6.

The image shows two columns of handwritten mathematical work. The left column contains a system of three linear equations in three variables (SLKV) and its solution using the elimination method. The equations are:

$$\begin{cases} x + y + z = 44.000 & (1) \\ 2x + 3y + z = 44.000 & (2) \\ x + 2y + z = 50.000 & (3) \end{cases}$$
 The solution steps include:

- Eliminating z from equations (1) and (2) to get $x - y = -6.000$ (4).
- Eliminating z from equations (1) and (3) to get $x + y + z = 44.000$ (2) and $x + y + 2z = 58.000$ (5).
- Eliminating y from equations (4) and (5) to get $z = 20.000$.
- Substituting $z = 20.000$ back into equations (1) and (4) to find $x = 6.000$ and $y = 12.000$.

 The final answer is:

- 1 kg salak = 6000
- 1 kg jeruk = 12000
- 1 kg apel = 20000

 The right column shows the same system of equations being solved using substitution. It starts with the same three equations and then:

- Eliminates z from equations (1) and (2) to get $x + y - z = 3$ (3).
- Eliminates z from equations (1) and (3) to get $x + y + z = 44.000$ (2) and $x + y + 2z = 58.000$ (5).
- Eliminates y from equations (3) and (5) to get $z = 20.000$.
- Substitutes $z = 20.000$ into equation (3) to get $x + y = 23$.
- Substitutes $z = 20.000$ into equation (2) to get $x + y = 4$.
- Eliminates y from these two equations to get $x = 1$.
- Substitutes $x = 1$ into equation (3) to get $y = 1$.

Figure 4. Response of participant F3

Table 6
Analysis results of participant F3

	Written test	Interview
Within-solution posing	Being able to write information from problems, raising supporting questions that are relevant to the problem, and arrange solutions to supporting questions that have been raised.	Being able to write information about problems, raising supporting questions that are relevant to the problem, and determine methods and arrange solutions to supporting questions that have been raised

	Written test	Interview
Post-solution posing	Being able to arrange the solution of the problem given, can express similar problems after solving the problem, and can choose the concepts, procedures, methods of solving problems that are appropriate in solving the problems that have been made.	Being able to arrange the solution of the problem given, can express similar problems after solving the problem, and can choose the concepts, procedures, methods of solving problems that are appropriate in solving the problems that have been made.

Participant G5 had the ability to pre-within-post solution posing. For the ability of pre-solution posing, it can be seen when the participant can raise questions from the data provided, and arrange the problem solving that has been stated. The ability of within-solution posing can be seen from the participant write what is given and what is asked of the problem given, raise supporting questions that are relevant to the given problem. The participant can determine the problem solving method used and arrange the resolution of supporting questions that are relevant to the given problem and use it to arrange the problem solving given. Meanwhile, the ability of post-solution posing can be seen from the participant to raise similar problems after solving the given problem and arrange the solution to the problem that has been made.

The results showed that only 20% of students had three classifications of problem-posing abilities, namely pre-solution posing, within-solution posing, and post-solution posing. Students who have the ability to pre-solution posing can express problems from the data provided and arrange solutions to problems that have been raised. This is in line with Silver (1994) which explains pre-solution posing, in which a student makes a problem from a situation that is held/from a motivation factor. Arikan and Ünal (2015) states that pre-solution posing can train students to ask problems based on a story, diagram, picture, and representation. Students are trained to be able to relate the information they have to the material they have learned.

Students who have the ability within-solution posing can write information on a math problem, can express support questions relevant to the problem, and can arrange settlement of support questions relevant to a given problem. Problem solving when someone intentionally changes the purpose of a problem such as using a strategy that makes it simpler (Arofah & Masriyah, 2019; Silver, 1994). This reinforces that within-solution posing is related to the reformulation of the problem to be solved and considers the hypothesis and problem situation (Silver & Cai, 1996). Furthermore, students who have the ability to post-solution posing can express similar problems after solving the given problem and can arrange solutions to the problems that have been made. Silver (1994) stated after solving a problem when experiences from the problem solving context are modified or applied to new situations. Post-solutions related to the change of information from a problem to a new problem to be solved (Rachmawati et al., 2019; Silver & Cai, 1996).

Thus, the ability of problem posing really needs to be owned by students because it can make students actively learn mathematics (Barlow & Cates, 2006), positively correlate with learning outcomes (Silver & Cai, 1996), and can help students in developing ideas of problem solving (English, 1997; Xia, Lu & Wang, 2008). Ayllón et al. (2016) and Xie and Masingila (2017) explain that there is a significant relationship between problem solving skills and problem posing. This is like a thought with Arófah and Masriyah (2019), English (1997), Ghasempour et al. (2013), Rosli et al. (2014), and Xia, Lu and Wang (2008) which stated that the ability of problem posing can help students in developing ideas for problem solving. It is impossible to solve new problems without having relevant mathematical

knowledge, developing new problems, and then solving them. Silver and Cai (1996) and Tuğrul (2010) show that students who have a good problem posing abilities also have good problem solving abilities.

Conclusion

Problem posing provides many benefits for students in learning mathematics, for example making students more active in learning and able to develop problem solving abilities. Students who have the ability to pre-solution posing can ask questions based on the data provided and can arrange problem solving. Students who have within-solution posing ability can write information from the problem and arrange the solution of the question correctly. Meanwhile, students who have the ability to post-solution posing can express similar problems and can arrange solutions to the problems that have been made. The fact that there are still many students who do not have problem posing skills needs to get the attention of mathematics teachers. Gradually the teacher needs to practice pre-solution posing, within-solution posing, and post-solution posing to the students. In subsequent research, it is necessary to explore the relationship between problem-posing and problem solving.

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APPENDIX

1. Make a question from the following information, and find the solution!

$$\begin{array}{l}
 \begin{array}{c} \text{📖} \text{📖} \end{array} + \begin{array}{c} \text{✎} \end{array} + \begin{array}{c} \text{📏} \\ \text{📏} \end{array} = 28.00 \\
 \begin{array}{c} \text{📖} \text{📖} \\ \text{📖} \end{array} + \begin{array}{c} \text{✎} \\ \text{✎} \end{array} + \begin{array}{c} \text{📏} \\ \text{📏} \end{array} = 29.00 \\
 \begin{array}{c} \text{📖} \end{array} + \begin{array}{c} \text{✎} \\ \text{✎} \\ \text{✎} \end{array} + \begin{array}{c} \text{📏} \\ \text{📏} \end{array} = 21.00
 \end{array}$$

2. Dwi, Dita, and Fida buy fruits in the same shop. Dwi bought 2kg thorny palm, 1kg oranges, and 1kg apples and had to pay Rp. 44,000.00. Dita bought 1kg thorny palm, 2kg oranges, and 1kg apples and had to pay Rp. 50,000.00. Fida pays Rp. 58,000.00 to buy 1kg thorny palm, 1kg oranges, and 2kg apples. If Nia wants to buy 2kg thorny palm, 3kg oranges, and 4kg apples, how much money does Nia have to pay? Based on the information above, create supporting questions to help resolve the problem above and solve it!
3. x , y , and z are the solutions of the following system of linear equations:
 $3x + 4y - 5z = 12$
 $2x + 5y - z = 17$
 $6x - 2y + 3z = 17$
 Create a new problem and find the solution!