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## ABSTRACT

New models of graphing calculators arrive on a regular basis. Texas Instruments alone introduced 8 models in a 10 year period. At many schools it is impractical or impossible to have every student use the same model and often different brands as well as different models are used in the same classroom. This situation brings about both advantages and disadvantages for a college algebra instructor. Calculators differ in how they handle the order of operation and in the number of pixels in the graphical display. When instructors are aware of these differences, they can use the calculators to provide instruction on concepts such as appropriate use of parentheses, aspect ratios, and vertical asymptotes. Specific examples are given. Scatterplots and regression analysis are now common in college algebra textbooks. Producing these on a calculator is a relatively complicated procedure compared to the usual types of calculations students are expected to do. Teaching this to students can be handled by using a general procedure given at a level that works on any model accompanied by more specific details on a case-by-case basis. Breaking the details into pieces makes the regression analysis easier for the students to grasp. (Contains several figures of calculator activity.) (DDR)

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## Coping with Multiple Calculator Models in College Algebra

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[http://www.mwsu.edu/~math/math\\_faculty/Mark%20Farris/farris\\_page.htm](http://www.mwsu.edu/~math/math_faculty/Mark%20Farris/farris_page.htm)

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### Abstract

New models of graphing calculators arrive on a regular basis. Texas Instruments alone introduced 8 models in a 10 year period. At many schools it is impractical or impossible to have every student use the same model and often different brands as well as different models are used in the same classroom. This situation brings about both advantages and disadvantages for a College Algebra instructor.

Calculators differ in how they handle order of operation and in the number of pixels in the graphical display. When the instructor is aware of these differences, they can be used to provide instruction on concepts such as appropriate use of parentheses, aspect ratios, and vertical asymptotes. Specific examples will be given.

Scatterplots and regression analysis are now common in College Algebra textbooks. Producing these on a calculator is a relatively complicated procedure compared to the usual types of calculations students are expected to do. Teaching this to students can be handled by using a general procedure given at a level that works on any model accompanied by more specific details on a case by case basis. Breaking the details up into pieces makes the regression analysis easier for the students to grasp.

### Introduction

At Midwestern State University, College Algebra courses typically have an enrollment of approximately 40 students. The students are not restricted to any particular model calculator. The instructors usually use a TI-86 viewscreen calculator in class, but viewscreen versions of the TI-82, TI-92, and TI-89 are available. Although the mix changes with time, currently the models used by my students are distributed as follows.

Model	TI-85,86	TI-82,83	TI-89,92	Other
Percentage	50	35	12	3

About 30% of the TI users use older model calculators: 82, 85, and 92, but the students in the "Other" category almost always have an outdated model of whatever brand they are using.

Although these calculators all operate similarly, there are differences. The differences can be put into three categories. First is a difference in precedence relations for the various operations. In particular, implied multiplication has higher order precedence on some models than on other models. For example, if the variable X has the value 4 a TI-82 interprets  $1/2X$  as 0.125 while a TI-83 thinks  $1/2X$  is 2. Second is a difference in the window size. The graphing window in a TI-86 is 127 pixels wide. On a TI-83 it is 95 pixels wide. A third difference is in what I'll refer to as the operating

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system. Choosing a function key on the TI-83 results in a function symbol followed by an open parenthesis, but this doesn't happen on other models. Another issue is that the availability of lower case letters on some but not all models. The biggest difference in operating systems is the way in which data is entered and manipulated when doing regression analysis on the various models. The sections below indicate ways in which these differences can be handled and in fact taken advantage of in the classroom.

College Algebra is our lowest level course with a graphing calculator requirement. Many students enter the course with graphing calculator experience from high school, but this is not uniformly true. For students with no previous graphing calculator experience, the stress of enrolling in a college level mathematics course for the first time is compounded by the need to adapt to the technology. Recognizing this, I use the viewscreen calculator extensively during the first few class periods. Concepts such as window/range are introduced as definitions with the same formality that I would use for the definition of polynomial or the point-slope form of a line. On a less formal basis, I place emphasis on how any expression that is written using a horizontal bar, such as  $\frac{x+3}{x-2}$  or  $\sqrt{4-x}$ , requires the use of at least one set of parentheses on the calculator.

### Order of Operations

It is important to realize that the implied multiplication coming from juxtaposition has an equal order of precedence with explicit multiplication in some models but in other models it has a higher order or precedence. Consider the two screens below. In both cases the same keystroke sequence is used, but the results are different.

4→x	4	4→x	4
1/2 x	.125	1/2 x	2
■			

One of these screens is from a TI-85 and the other is from a TI-86. There are several morals to this example. First of all, teaching students to use a calculator on a keystroke by keystroke basis is not a good idea. Second, the instructor should avoid using this construction of a division followed by an implied multiplication. In fact, even though the instructor will typically be thoroughly familiar with the precedence relations it is not a good idea to take advantage of this knowledge in order to save a keystroke or two. A better idea is to always use constructions that will be interpreted the same way by any model. In this case you could use  $1/(2x)$  or  $(1/2)x$  depending on which expression you want. The third moral is that this problem will come up in your classroom. When it happens it can be used to advantage. Use this issue to emphasize appropriate use of parentheses.

An interesting aspect of this is the distinction between  $-2^2$  and  $(-2)^2$ . This is one place where TI is consistent across models. In every case, exponentiation takes precedence over negation. As a result, for TI  $-2^2 = -4$ . This is an important fact to know when you are dealing with a beginning College Algebra student. This convention is useful because it makes the result that appears on the TI screen consistent with the way we write things by hand on paper or on the blackboard.

## The Graphing Window

The graph window on a calculator is divided up into a large but finite number of pixels. This leads to the concept of “magic windows” that have nice properties when using the TRACE key. Here’s a summary of resolutions.

Model	TI-82,83	TI-85,86	TI-89	TI-92
Pixel width	95	127	159	239
Magic number	47	63	79	119

You don’t need to remember all of these numbers. You can readily recover them by using the ZOOM DECIMAL feature of your calculator. The interesting feature to notice is that three of the magic numbers are prime numbers, but the magic number for the TI-85, 86 is not.

There are two teaching issues that need to be addressed. One is that in a typical window a graph of  $y = \sqrt{64 - x^2}$  will not appear to touch the  $x$ -axis. The other is that the calculator will usually draw vertical asymptotes that we really don’t want to consider as part of the actual graph of a function. Of course, you can always isolate one particular  $x$ -coordinate by placing it in the exact center of the screen. For example, to see the sideways parabola mentioned above actually touch the  $x$ -axis you can use any window with  $X_{\min} = 4 - a$  and  $X_{\max} = 4 + a$  for an appropriate choice of  $a$ . By the way, this was a real shortcoming of the old TI-81, which used an even number of pixels.

The magic number for the TI-85, 86 is  $63 = 7 \times 9$ . When you use a window with  $X_{\max} - X_{\min}$  equal to a multiple of 3 or 7 small integers like 2, 3, or 4 will appear as exact values of pixel coordinates. As a result, simple rational functions graphed in such a window will appear without the spurious vertical asymptotes.

## The Operating System

The TI-83 has the distinctive feature that it automatically adds and open parenthesis after the user enters a function key. This feature makes life easier on the student who wants to graph  $y = \sqrt{4 - x}$ . The TI-83 user will normally not make the mistake of graphing  $y = \sqrt{4} - x$  instead. On the other hand, if the desired calculation is  $\sqrt{3}/2$  or  $\frac{\ln 2}{3}$  the TI-83 user needs to be sure and close the parenthesis on time.

Curiously, this difference never seems to give students problems until we get to logarithms. It seems like some students get in the habit of ignoring the closing parenthesis. Since the calculator automatically assumes one when it doesn’t explicitly appear this usually doesn’t give a problem. As a result, when we get to logarithms and the TI-83 users see me type  $\ln 2/3$  on my TI-86 they once again forget the close parenthesis. As a result, for this type of calculation I tend to be more explicit than usual. Rather than entering  $\ln 2/3$  I attempt to be consistent about typing  $\ln (2)/3$  or  $(\ln 2)/3$ .

The real place where the differences in calculator models gives a problem is when you want to do a linear regression. Here the similarities between the TI-85 and TI-86 and the TI-82 and TI-83 go away. On the other hand, the procedure that works on a TI-92

also works on a TI-89. Coping with this can be a problem, especially when regression analysis comes so early in the semester that the students new to the graphing calculator have not become comfortable in using them. This is one place where I give instructions particular to each model calculator. Even though these instructions are specific to each model, the instructions can be divided up into steps in a uniform way. There are three basic steps. One is entering the data. For regressions, the data consists of a collection of ordered pairs of numbers. These are stored in the calculator in two lists. List naming conventions vary from model to model, but each model has a pair of list names that are used by default. Restricting yourself to never doing more than one regression at a time allows you to consistently use the default lists. This is a minor restriction compared to the difficulty in teaching multiple file naming systems. A second step is viewing the data. Although the issue of choosing an appropriate window is handled the same way on all models, the technique for getting the data points to show up is different for each model. One shortcoming of the TI-85 in this respect is that this model only shows data points as single pixels. This can be overcome by writing a short program that draws a scatterplot using the data in the default lists. Such a program can easily emulate the hollow squares that are used on the other models. The third step is viewing/using the computed regression curves. The various models have capabilities of drawing in the regression curve directly from the STAT menus. Some also have "forecast" capabilities for evaluating the regression function at a point. Rather than take advantage of these features, which differ widely from model to model, it is better to have all students store their regression curve in a  $y(x)=$  function slot. Storing the function is done differently on different models, but once the function is stored, the usual TRACE and VALUE features work for the analyses required by College Algebra texts. The instructions for each TI model are available on my website.

## Conclusion

The same keystroke sequence can yield different results on different models of TI calculators. Said another way, doing a particular calculation correctly involves doing things differently on different model calculators. The awareness that there are differences can take you a long way on the road to coping with these differences. Difficulties can also be avoided by using parentheses in such a way that there is no question as to the order that any calculator will carry out the operations. For some tasks, such as regression analysis, the distinctions between the different models is unavoidable. In such cases, the tasks should be broken up into the smallest possible pieces.

## Calculator Activity Intro

### Getting to know your TI-83

Press **ON** to begin using calculator. To stop, press **2<sup>nd</sup>** **ON**.

To darken the screen, press **2<sup>nd</sup>** **Δ** alternately. To lighten the screen, press

**2<sup>nd</sup>** **∇** alternately. Press **2<sup>nd</sup>** **+** to reset or clear the memory of the calculator.

1. **ENTER** - equal
2. **2<sup>nd</sup>** - yellow keys
3. **Alpha** - green keys
4. **2<sup>nd</sup>** **Alpha** - alphabetic info
5. **2<sup>nd</sup>** **X,T,θ,n** - prints X in function mode; prints T in parametric mode; prints  $\theta$  in polar mode; prints n in sequence graphing mode
6. **^** - exponent key
7. **Alpha** **0** - space key
8. **2<sup>nd</sup>** **^** -  $\pi$  key
9. **(-)** - negative key
10. **2<sup>nd</sup>** **(-)** - stores last answer
11. **Math** **1** - absolute value
12. **DEL** - deletes character
13. **2<sup>nd</sup>** **DEL** for INS - inserts character
14. **MODE** - sets various modes of calculator - At present, your calculator should have the following settings highlighted: Norm, Float, Radian, Function, Connected, Sequential, Real, Full

15. **MATH** - 1. display answer as a fraction  
 2. display answer as a decimal  
 3. cube a number  
 4. take the cube root of a number  
 5. take the xth root of a number  
 6. minimum of a function  
 7. maximum of a function  
 8. numerical derivative  
 9. function integral  
 10. solves for any variable in an equation

16. **2<sup>nd</sup> MATH** - (for TEST) -  
 1. =  
 2. ≠  
 3. >  
 4. ≥  
 5. <  
 6. ≤

17. **2<sup>nd</sup> MATRIX** - (for ANGLE) -  
 1. degree notation  
 2. minute notation  
 3. radian notation  
 4. displays as  
 degree/minute/second  
 5. - 8. used to change from rectangular  
 coordinates to polar coordinates or from polar to rectangular

18. **PRGM** - EXEC EDIT NEW

19. **2<sup>nd</sup> PRGM** - (for DRAW) -  
 1. Clr draw  
 2. Line  
 3. Horizontal  
 4. Vertical  
 5. Tangent  
 6. Draw function  
 7. Shade  
 8. Draw inverse  
 9. Draw circle  
 10. adds text to graph  
 A. free-form drawing tool

## Graphing keys - top row of calculator

1. **Y=** - allows you to enter up to ten separate equations
2. **WINDOW** - sets dimensions of viewing rectangle
3. **ZOOM** - allows you to adjust the viewing rectangle
4. **TRACE** - allows you to find a specific point on a graph
5. **GRAPH** - draws the graph of a function

## Using the viewing rectangle

The viewing rectangle on the TI-83 is 94 pixels (A pixel is a picture element.) by 62 pixels. It is useful when graphing to have a "friendly window" in order to avoid distortion in the graph and to avoid obtaining non-integer values when using the trace function of the TI-83. In fact, a program helps alleviate these problems.

### A Friendly Window

```
Program:WINDOW
:ClrHome
:Disp "SCALE FACTOR ="
:Input F
:-4.7F→Xmin
:4.7F→Xmax
:F→Xscl
:-3.1F→Ymin
:3.1F→Ymax
:F→Yscl
:Stop
```

### Save Graphing Window

```
Program:SAVWINDO
:Xmin→A
:Xmax→B
:Xscl→C
:Ymin→D
:Ymax→E
:Yscl→F
:Stop
```



### Recall Graphing Window

Program:RECWINDO

:A→Xmin

:B→Xmax

:C→Xscl

:D→Ymin

:E→Ymax

:F→Yscl

:Stop

### Basic Calculator Operations

1. Simplify:  $\frac{37 + 4 - 3^3}{16 - (1 + 2)^2}$

2. Simplify:  $\sqrt{3^2 + 4^2}$

3. Let  $a = 2$  and  $b = 4$ . Evaluate the expression:  $3ab - 1$

Screen displays:

2→A: 4→B: 3AB-1 ■	ENTER	2→A: 4→B: 3AB-1 23
-------------------	-------	-----------------------

4. When you were collecting the data required for a water temperature project, you forgot to take temperature readings in degrees Celsius. The following formula is used to convert from degrees Fahrenheit to degrees Celsius:

$$C = \frac{5}{9}(F - 32) \quad \text{or} \quad C = \frac{5(F - 32)}{9}$$

a. Change 50°F to degrees Celsius.

b. Change 103°F to degrees Celsius.

5. Approximate the value of each expression to the nearest thousandth:

a.  $\sqrt[3]{15}$

b.  $\sqrt[5]{46}$

6. Evaluate the function,  $f(x) = 2x^2 - 3x + 7$  for  $x = 2$ ,  $x = -1$ ,  $x = 0$ , and  $x = 141.3456$ .

Store  $f(x) = 2x^2 - 3x + 7$  in  $\boxed{Y=}$ .

Press  $\boxed{Y=}$  and type the function in  $Y_1$ .

(You can choose any Y you wish.)

```

Plot1 Plot2 Plot3
\Y1= 2X^2-3X+7
\Y2=
\Y3=
\Y4=
\Y5=
\Y6=
\Y7=
  
```

Press  $\boxed{2nd}$   $\boxed{[QUIT]}$ . Press

$\boxed{VARS}$   $\boxed{\triangleright}$   $\boxed{ENTER}$   $\boxed{ENTER}$ .

```

Y1
  
```

Press  $\boxed{(}$   $\boxed{2}$   $\boxed{)}$ .

```

Y1(2)
  
```

Press  $\boxed{ENTER}$ .

```

Y1(2)          9
  
```

Follow the same procedure in order to evaluate  $f(x)$  for each value of  $x$ .

```

Y1(-1)          12
Y1(0)           7
Y1(141.3456)    39540.12048
  
```

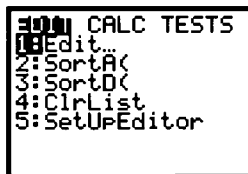
## PLOTTING POINTS FROM DATA

### Entering Data into Columns

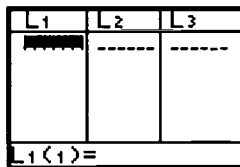
The data in the chart below is water temperature measured at the same site over a period of weeks. L<sub>1</sub> contains the number of the week and L<sub>2</sub> contains the temperature in degrees Celsius recorded for the week. These lists must have the same number of data points.

L <sub>1</sub>	L <sub>2</sub>
1	46
2	41
3	51
4	39
5	38
7	41
10	42
12	47
13	37
15	39
16	41

Press  
Error!.



Press **1** (to select Edit) .



Enter the X values in L<sub>1</sub>. Press **ENTER** after each entry to go to the next line.

When finished with the X values, press **▶** to place the cursor at the beginning of L<sub>2</sub>. Enter all Y values in L<sub>2</sub>. (The screen below does not display the entire data set.)

L1	L2	L3	3
1	46		
2	41		
3	51		
4	39		
5	38		
7	41		
10	42		
12	47		
13	37		
15	39		
16	41		

L3(1)=

Press **2nd** [QUIT].

## Plotting Data Points

To graph the data points in the lists,  $L_1$  and  $L_2$ :

Press **2nd** [STAT PLOT].



```
STAT PLOT
1:Plot1...Off
  L1  L2
2:Plot2...Off
  L3  L4
3:Plot3...Off
  L5  L6
4:PlotsOff
```

Press **ENTER**.



```
Plot1 Plot2 Plot3
On Off Off
Type: [ ] [ ] [ ]
Xlist:L1
Ylist:L2
Mark: [ ] + .
```

Press **ENTER**. (The cursor is blinking on the On. By pressing enter, you are turning on stat plot 1.)



```
Plot1 Plot2 Plot3
On Off Off
Type: [ ] [ ] [ ]
Xlist:L1
Ylist:L2
Mark: [ ] + .
```

Use the down arrow to move to the Type line. If necessary, use the left arrow to move to the scatter plot icon.



```
Plot1 Plot2 Plot3
On Off Off
Type: [ ] [ ] [ ]
Xlist:L1
Ylist:L2
Mark: [ ] + .
```

Use the down arrow to move to Xlist.

Press **2nd** 1.



```
Plot1 Plot2 Plot3
On Off Off
Type: [ ] [ ] [ ]
Xlist:L1
Ylist:L2
Mark: [ ] + .
```

Use the down arrow to move to Ylist.

Press **2nd** 2.



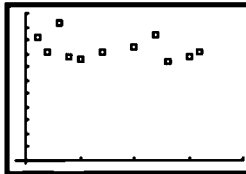
```
Plot1 Plot2 Plot3
On Off Off
Type: [ ] [ ] [ ]
Xlist:L1
Ylist:L2
Mark: [ ] + .
```

Press **2nd** [QUIT]. Press **WINDOW** and choose appropriate settings for the data.

```

WINDOW
Xmin=-1
Xmax=20
Xsc1=5
Ymin=-1
Ymax=55
Ysc1=5
Xres=1
    
```

Press **GRAPH**. The scatter plot at the right is only one way to represent the data graphically.

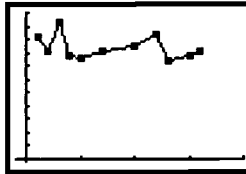


Press **2nd** [STAT PLOT]. Choose line graph. Press **2nd** [QUIT].

```

Plot1 Plot2 Plot3
Off Off Off
Type: L1 L2 L3
Xlist:L1
Ylist:L2
Mark: +
    
```

Press **GRAPH**. A line graph is another way to represent data graphically.

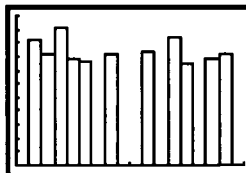


Press **2nd** [STAT PLOT]. Choose a bar graph or histogram. L<sub>1</sub> is in Xlist. Press **2nd** 2 to put L<sub>2</sub> in Freq. Press **2nd** [QUIT].

```

Plot1 Plot2 Plot3
Off Off Off
Type: L1 L2 L3
Xlist:L1
Freq:L2
    
```

Press **GRAPH**. Note: WINDOW settings are 0,18,1,0,55,5,1.



Temperature by week

Before you go to another activity, turn "Off" all stat plots.

### GRAPHING WITH TI-83

#### Graphing an Equation with TI-83

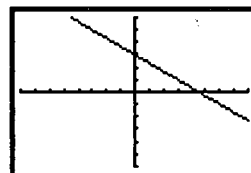
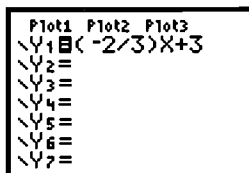
1. Solve the equation for  $y$ .
2. Enter the equation in  $\boxed{Y=}$ .
3. Determine an appropriate viewing rectangle. Enter the values in  $\boxed{WINDOW}$ .
4. Press  $\boxed{GRAPH}$ .

Example 1: Graph  $2x + 3y = 9$ . An appropriate  $\boxed{WINDOW}$  is  $-9, 9, 1, -6, 6, 1, 1$ .

Answer: Solve  $2x + 3y = 9$  for  $y$ .

$$\text{Store } y = -\frac{2}{3}x + 3 \text{ in } Y_1.$$

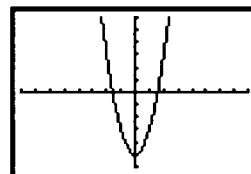
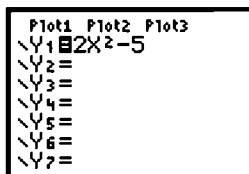
Press  $\boxed{GRAPH}$ .



Example 2: Graph  $y = 2x^2 - 5$ .

Answer: Store  $y = 2x^2 - 5$  in  $Y_1$ .

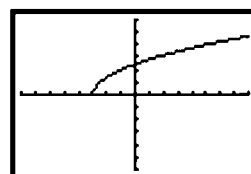
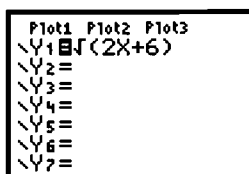
Press  $\boxed{GRAPH}$ .



Example 3: Graph  $y = \sqrt{2x + 6}$ .

Answer: Store  $y = \sqrt{2x + 6}$  in  $Y_1$ .

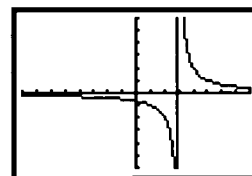
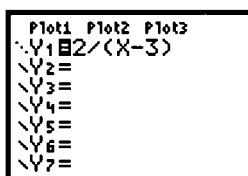
Press  $\boxed{GRAPH}$ .



Example 4: Graph  $y = \frac{2}{x-3}$ . Since this equation represents a rational function, we know that we have to eliminate any value that makes the denominator equal to 0. This function has a vertical asymptote at  $x = 3$ .

Answer: Store  $y = \frac{2}{x-3}$  in  $Y_1$ .

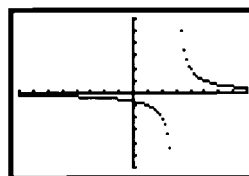
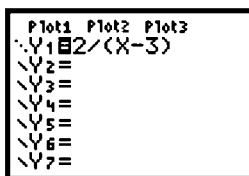
Press **GRAPH**.



Notice that the graph should consist of two unconnected portions - one to the left of  $x = 3$  and the other to the right of  $x = 3$ . To eliminate the problem with the graph, change the mode of the calculator from connected to dot. There are two ways in which to make this change.

Press **Y=**. Arrow to the left as far as possible.

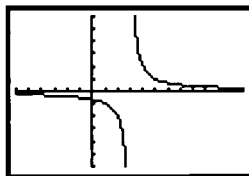
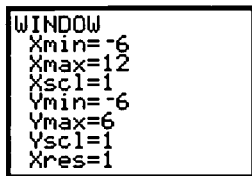
Press **ENTER** repeatedly to rotate through the graph styles. Stop on **▢**



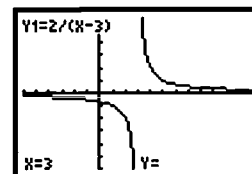
Press **GRAPH**.

This graph is more difficult to read because it uses a collection of dots rather than a smooth curve.

If you choose window settings in which the vertical asymptote is the center of the  $x$ -values, you will be able to use connected mode and to obtain an accurate graph. In this example,  $x = 3$  is the vertical asymptote. Change the window settings so that  $x = 3$  is exactly the middle value between  $X_{min}$  and  $X_{max}$ .



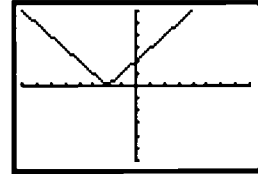
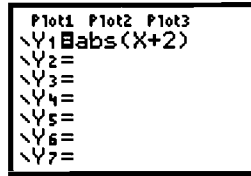
Using the trace cursor shows that the function is undefined when  $x = 3$ .



Example 5: Graph  $y = |x + 2|$ .

Answer: Store  $y = |x + 2|$  in  $Y_1$ .

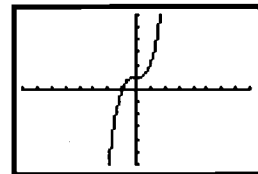
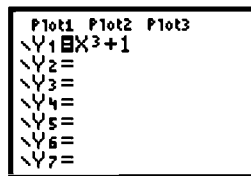
Press **GRAPH**.



Example 6: Graph  $y = x^3 + 1$ .

Answer: Store  $y = x^3 + 1$  in  $Y_1$ .

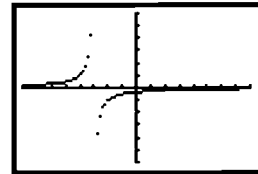
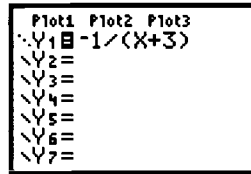
Press **GRAPH**.



Example 7: Graph  $y = -\frac{1}{x+3}$ .

Answer: Store  $y = -\frac{1}{x+3}$  in  $Y_1$ .

Press **GRAPH**.

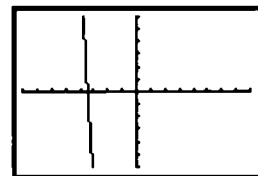
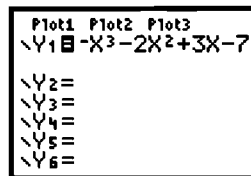


In all of the previous examples, the **WINDOW** settings remained the same. The ratio of  $x$  to  $y$  should be 3 to 2 in order to obtain a graph with little distortion. You will have to choose an appropriate **WINDOW**.

Example 8: Graph  $y = -x^3 - 2x^2 + 3x - 7$ .

Answer: Store  $y = -x^3 - 2x^2 + 3x - 7$  in  $Y_1$ .

Press **GRAPH**.



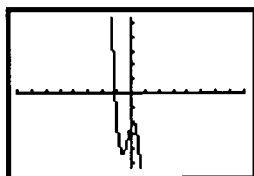
Is this the correct graph?



Choose a more appropriate **WINDOW**.

```

WINDOW
Xmin=-24
Xmax=24
Xscl=3
Ymin=-16
Ymax=16
Yscl=3
Xres=1
    
```



You may have to experiment to determine the most appropriate window settings. You could run program: WINDOW and change the scale factor until you have a correct graph.

The TI-83 has a table of values that may be used to list specific values for the independent variable,  $x$ , and the computed values of the dependent variable,  $y$ . For example, complete a table of values for the function  $y = -3x + 5$  where  $x$  begins at  $-10$  and is incremented by 1 unit.

Press **2nd** [TBLSET].

```

TABLE SETUP
TblStart=0
ΔTbl=1
Indpt:  Ask
Depnd:  Ask
    
```

This screen indicates that the table will start at 0 and have an increment of 1. Both variables will appear automatically.

Change table start to  $-10$  and leave  $\bullet$ Tbl = 1.

```

TABLE SETUP
TblStart=-10
ΔTbl=1
Indpt:  Ask
Depnd:  Ask
    
```

Enter  $y = -3x + 5$  in **Y=**.

Press **2nd** [GRAPH].

X	Y1
-10	35
-9	32
-8	29
-7	26
-6	23
-5	20
-4	17

X=-10

Use the arrow keys to scroll down the  $x$ - and  $y$ -values. You can also scroll up the  $x$  list and the  $y$  list.

### Intercepts

The table of values may be used to find the  $x$ -intercept(s) and  $y$ -intercept of a curve. Alternately, CALC 1 (for value) may be used to find the value of the  $y$ -intercept and CALC 2 (for zero) may be used to find the value of the  $x$ -intercepts, if they exist.

Store  $y = x^2 - 6x + 8$  in  $Y_1$ .

Choose an appropriate

**WINDOW**.

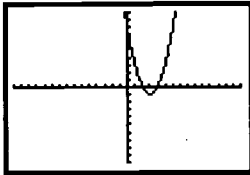
```

Plot1 Plot2 Plot3
Y1 X^2-6X+8
Y2=
Y3=
Y4=
Y5=
Y6=
Y7=
    
```

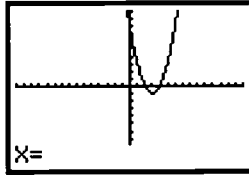
```

WINDOW
Xmin=-15
Xmax=15
Xscl=1
Ymin=-10
Ymax=10
Yscl=1
Xres=1
    
```

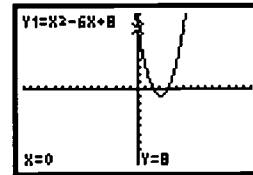
Press **GRAPH** .



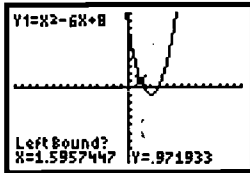
Press **2nd** **[CALC]** 1.



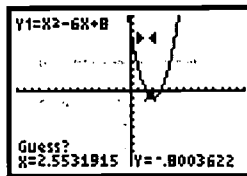
Enter 0 for X.



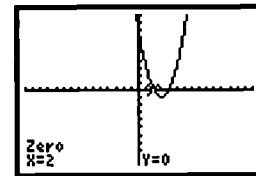
The point (0,8) is the y-intercept. To find the x-intercepts, press **2nd** **[CALC]** 2. Select a left bound by pressing **ENTER** to the left of an x-intercept.



Use right arrow to move the cursor to the right of the x-intercept. Press **ENTER** .



Place the cursor on the x-intercept and press **ENTER** .



One of the x-intercepts is (2,0). Follow the above procedure to determine the other x-intercept which is (4,0).

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### PIECEWISE-DEFINED FUNCTIONS

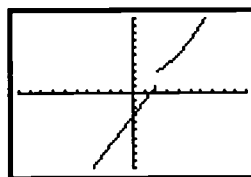
#### Graphing piecewise-defined functions

A function defined by two or more equations over a specified domain is called a piecewise-defined function. Graph  $f(x) = \begin{cases} 2x - 3 & \text{if } x \leq 2 \\ 0.2x^2 + 2 & \text{if } x > 2 \end{cases}$

The screen shows a way to enter  $f(x)$  into the calculator.

```

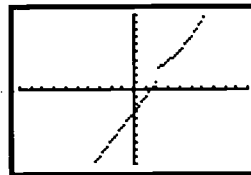
Plot1 Plot2 Plot3
Y1 (2X-3)/(X<=2)
Y2 (.2X^2+2)/(X>2)
Y3 =
Y4 =
Y5 =
    
```



The screen shows another way to enter  $f(x)$  into the calculator.

```

Plot1 Plot2 Plot3
Y1 (2X-3)*(X<=2)
+ (.2X^2+2)*(X>2)
Y2 =
Y3 =
Y4 =
Y5 =
Y6 =
    
```



#### Evaluating a Function

To evaluate a piecewise-defined function for a specific value of  $x$ , enter the following into the calculator.

Press **VARS** **~** **ENTER** **ENTER**

```

Y1
    
```

Press **(** **2** **)** **ENTER**

```

Y1(2)
1
    
```

The table can also be used to evaluate a function.

X	Y1	Y2
-1	-5	ERROR
0	-3	ERROR
1	-1	ERROR
2	1	ERROR
3	ERROR	2.8
4	ERROR	3.2
5	ERROR	3.7
X=2		

### Linear Regression with TI-83

The winning times (in minutes) in the women's 400-meter freestyle swimming event in the Olympics from 1948 to 1992 are given by the following ordered pairs.

(1948, 5.30) (1952, 5.20) (1956, 4.91) (1960, 4.84) (1964, 4.72) (1968, 4.53)  
 (1972, 4.32) (1976, 4.16) (1980, 4.15) (1984, 4.12) (1988, 4.06) (1992, 4.12)

Enter the data in your calculator. If necessary, clear L<sub>1</sub> and L<sub>2</sub>. (Highlight L<sub>1</sub>, press **CLEAR** and **ENTER**. Repeat for L<sub>2</sub>.) Let t = 0 represent 1940.

L1	L2	L3	3
8	5.3		
12	5.2		
16	4.91		
20	4.84		
24	4.72		
28	4.53		
32	4.32		

L3()=

All of the data will not show on the screen.

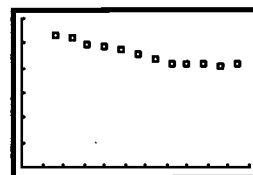
Press **2nd** **[QUIT]**.

Choose an appropriate window for the data.

```

WINDOW
Xmin=0
Xmax=35
Xscl=5
Ymin=0
Ymax=6
Yscl=1
Xres=1
    
```

Press **GRAPH**.



Press **2nd** **[QUIT]**.

Press **STAT** ~ 4 (for LinReg(ax+b)). Press

**2nd** **[L1]** **∩** **2nd** **[L2]**

**∩** **[VARS]** ~

**ENTER** **ENTER**.

```

LinReg(ax+b) L1,
L2, Y1
    
```

Press **ENTER**.

```

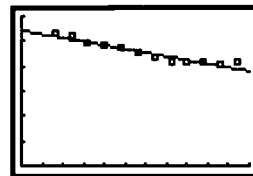
LinReg
y=ax+b
a=-.0298164336
b=5.43032634
r^2=.9243739155
r=-.9614436621
    
```

Press **Y=**.

```

Plot1 Plot2 Plot3
\Y1=-.0298164335
6643X+5.43032634
03263
\Y2=
\Y3=
\Y4=
\Y5=
    
```

Press **GRAPH**.



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