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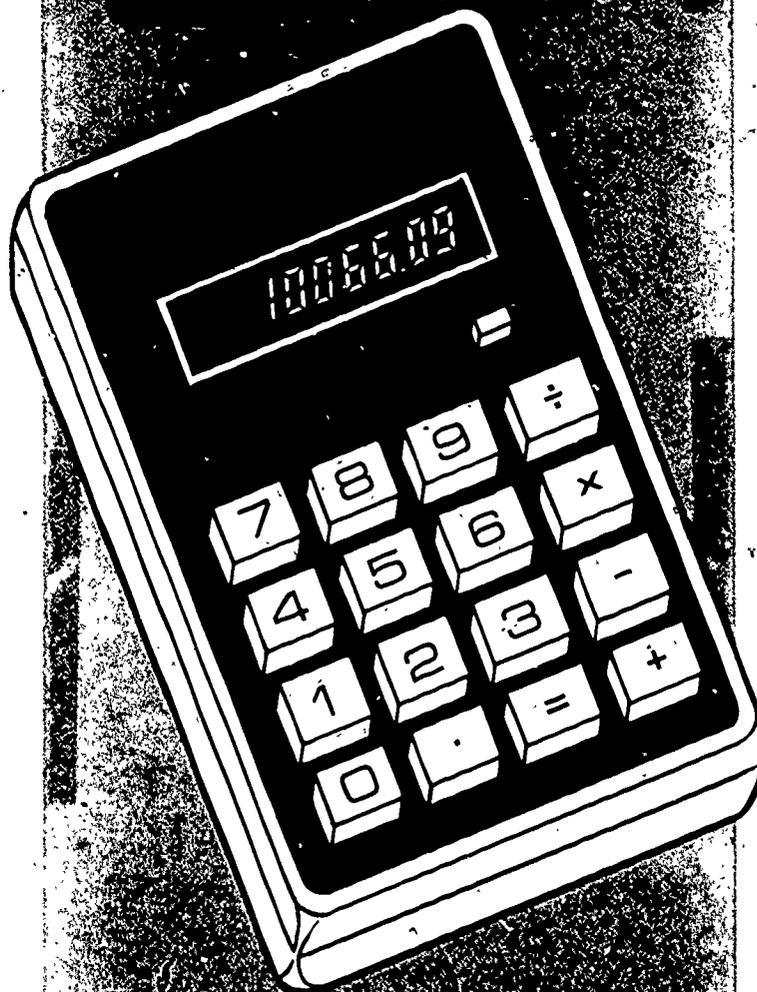
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ABSTRACT

These two bulletins were developed for the Calculator Information Center. "Motivating Activities for Low (and Higher) Achievers," prepared by Don Miller, presents activities that suggest ways in which a calculator can be used to help reinforce or develop certain mathematical ideas. Included are sections with activities for numeration, mental computation, number patterns, estimation, and problem solving. "Solve It with a Calculator," prepared by Earl Ockenga and Joan Dusa, focuses on experiences for using the calculator to develop skill in solving problems. The problems have been selected to appeal to various ages and abilities. Students may use such strategies as make a guess and check, choose the operation, or look for the pattern. (MNS)

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## Motivational Activities For Low (And Higher) Achievers

Prepared by Don Miller

Trying to find ways to help students who lack mental, estimation, or problem-solving skills has long been a goal of teachers. The reasons for these deficiencies are many, but the lack of motivation to learn mathematics is often the cause. It is here that the calculator can serve as a valuable classroom aid, since it is generally true that even the most "reluctant" learner likes to use a calculator.

The activities that follow suggest several ways in which a calculator can be used to help reinforce or develop certain mathematical ideas. All of the exercises can easily be changed or extended to meet the needs of students at any grade or ability level.

### Activities for Numeration

- Show these numbers on your calculator:

8 tens 16 ones

4 hundred 25 tens 6 ones

- Try to get the correct sum by adding the following.

nine hundred five

six thousand eight

four thousand twenty three

seventy thousand sixty

SUM 80996

twenty-five thousands

six ten thousands

twelve hundreds

seventeen tens

SUM 86370



- You can get a calculator to show 342 by finding the sum  $300 + 40 + 2$ . Try doing this to get the numbers below.



6074    39602    348.49    607.023

- |       |      |      |      |     |
|-------|------|------|------|-----|
| 17643 | 3769 | 2935 | 5013 | 703 |
|-------|------|------|------|-----|

Add the numbers which have 7 in the hundreds place.

Subtract the smallest number from the largest.

Find the sum of the numbers between 2000 and 5000.

- Enter the start number and then use addition or subtraction to get your calculator to show each of the other numbers in order.

#### START

123456 → 120456 → 120406 →

127406 → 27406 → 7406 →

7456

123.456 → 120.456 → 120.406 →

100.406 → 100.409 → 0.409 →

- What did Orville say when he saw his girl friend flying an airplane? Solve the problem below. Then flip your calculator and read the answer.

Enter 56785.612

Add 3 to the thousands place

Subtract 3 from the tenths place

Subtract 8 from the tens place

Add 3 to the hundredths place

Subtract 9 from the thousands place

FLIP UPSIDE DOWN AND READ THE ANSWER



## Activities for Mental Computation

Many people are concerned that the use of calculators in schools will result in students lacking mental arithmetic skills. This concern may be warranted if the calculator is used merely as a device to find or check answers. However, with appropriate activities and teacher supervision, a calculator can serve as a very effective tool to help develop and reinforce mental skills.

Many simple calculators have a built-in constant feature which allows for a variety of activities which can be used to improve these skills. Students familiar with this feature can use it to develop their mental capabilities at home as well as in the classroom. Maximum results from this type of activity will only be realized if students commit themselves by making a guess before each answer appears on the display.

### 1. Counting up.

ENTRIES	DISPLAY			
$6 + = = = \dots$	6	12	18	24 ...
$0.5 + = = = \dots$	0.5	1	1.5	2 ...

- Get the calculator to count up by numbers of your choice.
- Use your counting skills to fill in the missing numbers **MENTALLY**. Check with a counting calculator.

12, 24, 36, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_  
 \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_  
 \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, 1.25, 1.50, 1.75,  
 \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_

### 2. Counting down.

ENTRIES	DISPLAY	
$100 - 5 = = = \dots$	100	95
	90	85 ...
$25 - 0.5 = = = \dots$	25	24.5
	24	23.5 ...

- Get your calculator to count down by numbers of your choice. Try to guess the answers before you push the equals key and they appear on the display.
- Try to guess what your calculator will show in each problem.

$$1000 - 25 = = = \dots = ?$$

15 times

$$9 + = = = \dots = ?$$

22 times

## Activities for Number Patterns

Number patterns can be a very effective way to introduce or reinforce many important mathematical skills and ideas. The calculator provides students with a powerful tool that can easily generate data which allows them to focus their attention on discovering patterns and making generalizations rather than on doing lengthy computations.

- Use a calculator to find the answers until you discover a pattern. Then try to complete the others **MENTALLY**.

$$\begin{array}{llll} \text{a) } 3 \div 10 & 7 \div 10 & 3 \div 100 & 39 \div 100 \\ 132 \div 1000 & 172 \div 10000 & & \end{array}$$

b)  $57 \times 10$     $7.5 \times 100$     $0.46 \times 1000$   
 $870 \times 0.01$     $34.6 \times 0.001$     $0.0045 \times 100$

c)  $49 \times 51$     $48 \times 52$     $47 \times 53$     $46 \times 54$   
 $78 \times 82$     $35 \times 45$     $295 \times 305$

2. Complete the first table with a calculator C. Look for a pattern in the answers and then try to complete the other table MENTALLY M.

a) C 

X	16	45	24	99	75	37
201						

M 

X	22	49	62	89	73	8
201						

b) C 

X	33	333	66	666	999
37					

M 

X	3333	99	666666	9999
37				

c) C

1% of 300 =	_____
2% of 300 =	_____
3% of 300 =	_____
7% of 300 =	_____
10% of 300 =	_____
20% of 300 =	_____

M

1% of 800 =	_____
6% of 800 =	_____
20% of 800 =	_____
30% of 600 =	_____
7% of 400 =	_____
15% of 300 =	_____

3.  $11^2 = 121$ ,  $111^2 = 12321$ ,  $1111^2 = 1234321$  and  $11111^2 = 123454321$

Based on the above pattern one might guess that the answer of  $111111111^2$  is

12345678987654321. Use a calculator to do simpler problems that might help you guess an answer to each of the following.

a)  $333333333^2$    b)  $101 \times 1222222222$

4. Use a calculator to find out what pattern results when:

- a) 37 is multiplied by a multiple of 3.
- b) a two-digit number is divided by 99. by 999. by 9999.
- c) a three-digit number is multiplied by 13 and 77 (e.g.,  $123 \times 13 \times 77$ )
- d) a number is divided by 0. by 10. by 100. by 1000.
- e) a number is multiplied by 9. by 99. by 999. by 99999.

### Activities for Estimation

The fact that numerous everyday situations call for an estimate leaves little doubt that some degree of proficiency in making reasonable guesses should be expected of students at all ability levels. The activities below suggest a few of the many ways in which a calculator might be used to develop estimation skills. Remember that improvement in this area cannot be expected unless students are required to make an estimate before using a calculator.

1. Estimate each answer, rounding off as indicated.

a) hundreds:  $4097 + 706 + 24 + 567 + 6164 \rightarrow 11600$  (estimate)

b) tens:  $32.6 + 68.4 + 238.7 + 67.8 \rightarrow 410$  (estimate)

2.  $<$ ,  $=$ , or  $>$ ? Estimate. Then check.

$427 + 54$    $39 + 437$

$(72 \times 39) \div 29$    $145$

$56 \times 32$    $116 \times 15$

$\frac{5}{7}$    $0.8$

3. Circle the largest number which results in a true statement.

a)  $37 \times (40 \ 50 \ 60 \ 70) < 2195$

b)  $1386 \div (6 \ 7 \ 8 \ 9) < 191$

4. Try to estimate the missing digits. Then check.

$139 + 56 + 387$	$34 \times 69$
$\square \ 8 \ \square$	$\square \ 34 \ \square$

$1026 \div 38$	$38^2$
$\square \ 7$	$\square \ 44 \ \square$

$94 \times 37$	$\square \ \square^2$
$\square \ 47 \ \square$	$1764$

5. Use the multiplication problem shown below along with your estimation skills to help you estimate the missing numbers. Then check.

$$\begin{array}{r} 783 \\ \times 354 \\ \hline 3132 \\ 39150 \\ \hline 234900 \\ 277182 \end{array}$$

a)  $783 \times \underline{\hspace{2cm}} = 391.50$

b)  $40 \times 7.83 = \underline{\hspace{2cm}}$

c)  $\underline{\hspace{2cm}} \div 30 = 7.83$

d)  $78.3 \times 3.54 = \underline{\hspace{2cm}}$

6. True or false? Make your decision using estimation. Then check: Correct each false statement by changing the underlined number.

a) 8031 exceeds 3978 by 5953.

b) Twice 489 increased by 247 is 1225.

c) A sports store bought 48 baseballs at \$3.99 each and 88 jerseys at \$7.50 each. The total bill was \$979.20.

7. Circle the number which you think will make the statement true.



a) A rectangular field of width 19 meters and perimeter 63 100 151 meters has an area of 589 square meters.

b) If Jim bought 2 shirts at \$6.98 each and 3 pairs of socks at \$1.75 per pair, he would get \$2.76 \$0.79 \$1.17 change from \$20.

8. Try to decide whether the given estimate is reasonable. If not, write your estimate. Then find the actual answer with a calculator.



A factory machine produces 14 items in 3 minutes. At this rate, how long will it take the machine to produce 1862 items? Kim's estimate: 2 hours.

9. Circle the numbers that you think will get you within 2 of the target number. Then check.

a) 87 51 65 43  
 $(\square + \square) \div 8 \rightarrow 20$

b) 14 82 69 58  
 $\square \times (\square - \triangle) \rightarrow 754$

10. Use a calculator along with your estimation skills to help you find the missing digits in each problem below.



a)  $67 \times 4 \square \times 12 = 3 \square \square 76$

b)  $31 \square 2 \div 4 \square = 76$

c)  $27 \times \square 4 - 8 \square = 829$

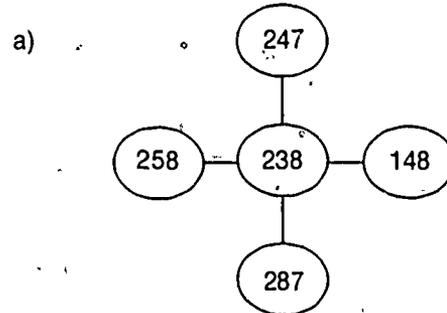
d)  $(756 \div \square \square) \times 58 + 399 = 1617$

11. ONE-PLAYER TIC-TAC-TOE. To win you must get three in a line before your calculator gets three squares any place on the board. Pick a square and guess the answer. Check with a calculator. Mark an **X** if correct. Mark a **C** for the calculator if your guess was not correct.

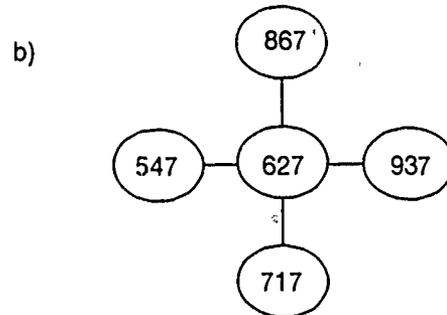
Guess the Best Answer

$32.1 \times 7.8$ 190 250 290	$43 \times 29.8$ 90 130 190	$2819 \div 46$ 39 61 71 76
$21.7 + 35.6 + 79.2$ 14 94 140 190	$.064 \times 54.5$ 34 340 3.4 .34	$367.4 + 27.6 - 198.7$ 20 70 200 600
$.84 \times 7.95$ 3 6 .56 64	$762 \times 6.45$ 420 4200 4800	$128.72 \div 5.8$ 20 40 200

12. THREE-IN-A-LINE. The answers to the problems are shown in the circles. Your goal is to find the three problems which will give three answers in a straight line. All problems must be done using your mental or estimation skills. Then use a calculator to check.



- One half of 184 increased by 56
- The number of yards in 741 feet
- The number of days in 34 weeks
- The smallest of two consecutive numbers whose sum is 575
- The number which is 642 less than the square of 30



- $27 \times 52 = 687$
- $19 \times 34 = 291$
- $32 \times 39 = 381$
- $37 \times 23 = 224$
- $23 \times 16 = 179$

13. ESTIMATION CARD GAMES (2 to 4 players)

- Each player needs a set of nine numbered cards (1, 2, 3, ..., 9).
- Each player needs a problem card (e.g.,  $\square\square + \square \rightarrow \square$ ).
- Another set of nine numbered cards is mixed and placed face down.

Rules

- Turn over as many numbered cards as there are empty squares on the problem card. The first card turned over is always the target number.
- The players then decide where to place each number on their problem cards.
- After a set time limit a calculator is used to check the answers.
- The "best" answer scores one point. One point is given each player on ties.
- The first player to score six points wins the game.

Suggested below are a few of the many types of problem cards that can be used at different age and ability levels.

$$\square\square + \square \rightarrow \square \quad \square\square\square + \square\square \rightarrow \square$$

$$(\square\square + \square\square) + \square \rightarrow \square$$

$$\square\square^2 - \square\square \rightarrow \square \quad \sqrt{\square\square} \rightarrow \square$$

$$200 < \square\square\square - \square\square\square < 300$$

$$30 < \square\square\square\square + \square\square < 60$$

$$\square\square\square \times \square\square \rightarrow \text{smallest possible number}$$

$$\square\square\square\square + \square \rightarrow \text{whole number}$$

Activities for Problem Solving

Many students experience almost total frustration when it comes to problem solving. Not having mastered computational algorithms is often the cause. This deficiency frequently perpetuates the difficulty since most of the time is spent on computational drill rather than on developing problem-solving skills. Here the calculator can serve as a motivational tool by allowing students finally to realize some success with problem solving while also alleviating the frustration caused by computational difficulties. The ease with which a calculator handles large or "messy" numbers will also allow students to solve more realistic and interesting problems.

1. How big is one billion?

- How long would it take you to spend \$1 billion at a rate of \$75 per second, if you don't stop to eat or sleep?
- A \$1 bill has dimensions which are about 2 1/2 in. by 6 1/2 in. How many miles of a highway 30-feet wide could be covered by one billion \$ bills?
- One billion dollars distributed equally to every person in North Dakota would give each person about \$1620.75. What is the population of North Dakota? How much would each person in your state get?

2. Peanut prices:



Brand A  
\$0.60/lb.

Brand C  
\$0.98/lb.

Brand B  
\$0.72/lb.

Brand D  
\$1.38/lb.

Imagine that you are a store manager and you want to mix a batch of peanuts such that the selling price is between 85 and 90 cents. Find at least two ways to mix 100 pounds if you want to have at least 15 pounds of each brand in the batch.

3. Find the message. Use a calculator to find the missing numbers. Then write the given letter above the number to find the message.

$$\begin{array}{r} \underline{\quad} \\ 908 \end{array} \times \begin{array}{r} \underline{\quad} \\ 594 \end{array} = \begin{array}{r} \underline{\quad} \\ 248 \end{array}$$

$$\begin{array}{r} \underline{\quad} \\ 598 \end{array} \times \begin{array}{r} \underline{\quad} \\ 588 \end{array} = \begin{array}{r} \underline{\quad} \\ 675 \end{array}$$

$$\begin{array}{r} \underline{\quad} \\ 594 \end{array} \times \begin{array}{r} \underline{\quad} \\ 598 \end{array} = \begin{array}{r} \underline{\quad} \\ 598 \end{array}$$

$$\begin{array}{r} \underline{\quad} \\ 439 \end{array} \times \begin{array}{r} \underline{\quad} \\ 268 \end{array} = \begin{array}{r} \text{P} \\ \underline{\quad} \\ 678 \end{array}$$

$$\begin{array}{r} \underline{\quad} \\ 439 \end{array} \times \begin{array}{r} \underline{\quad} \\ 178 \end{array} = \begin{array}{r} \underline{\quad} \\ 608 \end{array}$$

$$\begin{array}{r} 839 \\ + \underline{\boxed{678}} \text{P} \\ \hline 1517 \end{array}$$

$$\begin{array}{r} 674 \\ + \underline{\boxed{\quad}} \text{O} \\ \hline 1738 \end{array}$$

$$\begin{array}{r} 76 \\ \times 38 \\ \hline \underline{\boxed{\quad}} \text{T} \\ 2280 \\ 2888 \end{array}$$

$$\begin{array}{r} 1021 \\ - \underline{\boxed{\quad}} \text{N} \\ \hline 423 \end{array}$$

$$\begin{array}{r} 23 \\ \times \underline{\boxed{\quad}} \text{X} \\ \hline 6164 \end{array}$$

$$\begin{array}{r} \underline{\boxed{\quad}} \text{I} \\ - 369 \\ \hline 539 \end{array}$$

$$\begin{array}{r} \text{M} \cdot \underline{\boxed{\quad}} \text{r } 13 \\ 14 \overline{) 3485} \end{array}$$

$$\begin{array}{r} \text{R} \quad 46 \text{ r } 7 \\ \underline{\boxed{\quad}} \overline{) 8195} \end{array}$$

$$(19 \times 24) + 138 = \underline{\boxed{\quad}} \text{A}$$

$$871 - (24 \times 18) = \underline{\boxed{\quad}} \text{E}$$

$$\begin{array}{r} 23 \text{ r } 8 \\ 29 \overline{) \underline{\boxed{\quad}}} \text{W} \end{array}$$

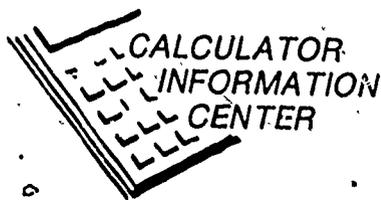
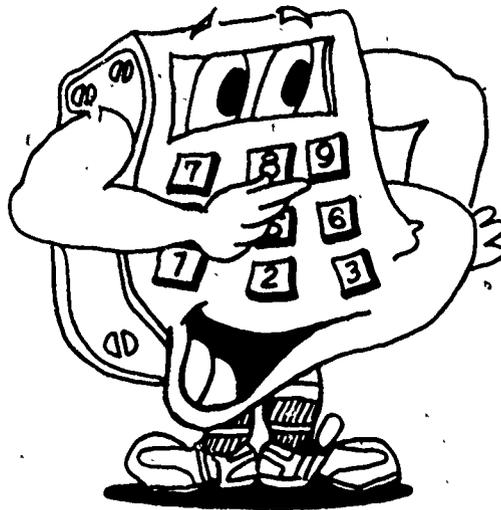
This bulletin was prepared by Don Miller, St Cloud State University, St Cloud, Minnesota.

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# Solve It With A Calculator

Information Bulletin No. 14  
January 1983



1200 Chambers Rd.  
Columbus, Ohio 43212  
(614) 422-8509

SE040359

## SOLVE IT WITH A CALCULATOR

Compiled by Earl Ockenga and Joan Duea

The activities that follow focus on experiences for using the calculator to develop skill in solving problems. The problems have been selected to appeal to students of various ages and abilities. Students may use strategies such as make a guess and check, choose the operation, or look for the pattern.

The problems contained within this bulletin were selected from "Problem Solving Using the Calculator, Book 1" and "Problem Solving Using the Calculator, Book 2," Project Impact, Price Laboratory School, University of Northern Iowa, Cedar Falls, IA 50613.

## ANSWERS:

Sum Sense 703

Switch It 20  22  24  26

Weigh In 67

Time Out 12

Can You Find It? 5

Side-by-Side 44, 45, 46

Make It Big 74  65

What's My Number? 66

Sum Pairs 25  25

Open and Shut 36, 37

What Is It? 1666

Make It Small 246  35

Which Does Not Belong?  $\frac{1047}{1745}$

Can You Spot It?  $(3267 \times 7) \div 3$   
 $(4356 \times 6) \div 4$   
 $(5445 \times 5) \div 5$   
 $(6534 \times 4) \div 6$   
 $(7623 \times 3) \div 7$

Make It Simple 927

Check It Out \$6.15

Mystery Number 63

Small Times .00046476

Look For It 0.0001001 (Any number smaller than 0.0002 is very good.)

Decimal Hunt 99,999

Push It 9999

Date It 1968

Who Knows 100,000,000

Check the Remainder 11 numbers

## Sum Sense

Each row and column of numbers add to 1731. What's the number under the penny?



766	325	640
451	577	
514	829	388

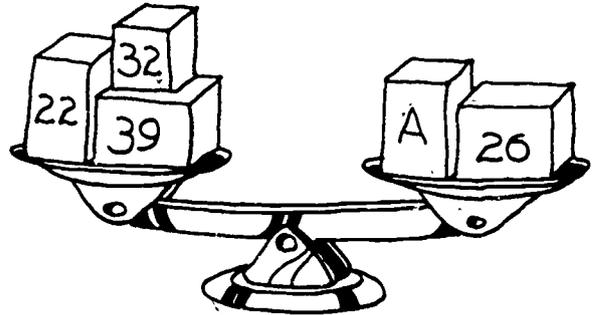
## Switch It!

Change one of the 's to  to get an answer of 44.

20  22  24  26

## Weigh In

What is the weight of Box A?



## Time Out!

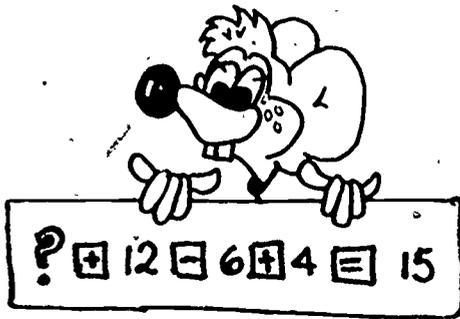
When John was asked how old he was, he answered 6,307,200 minutes. How many years old was John?



MINUTES  
6,307,200

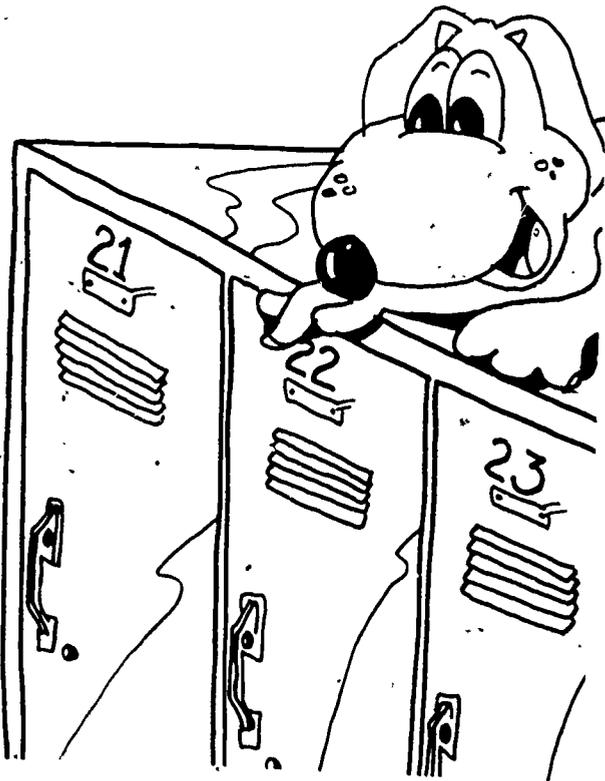
## Can You Find It?

What is the missing number?



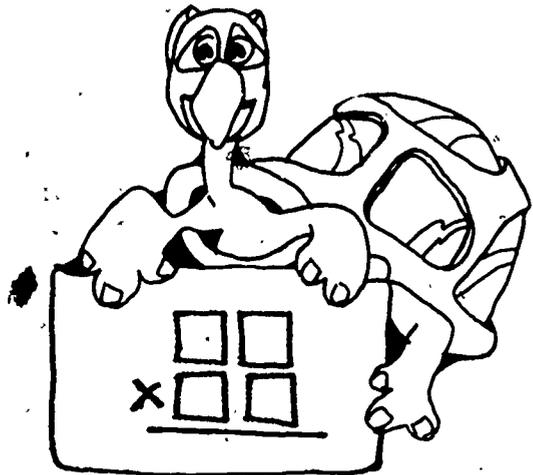
## Side-By-Side

What 3 side-by-side lockers have numbers that add to 135?



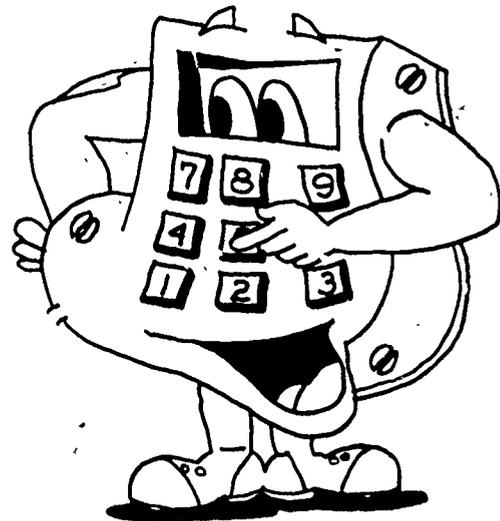
## Make It Big!

Put 4, 5, 6, and 7 in the  $\square$ 's to get the largest possible answer. Use each digit only once.



## What's My Number?

I put in a number, pushed  $\square \square$ , and got 132. What's my number?



## Sum Pairs

Which of the pairs of numbers that have a sum of 50 have the largest product?



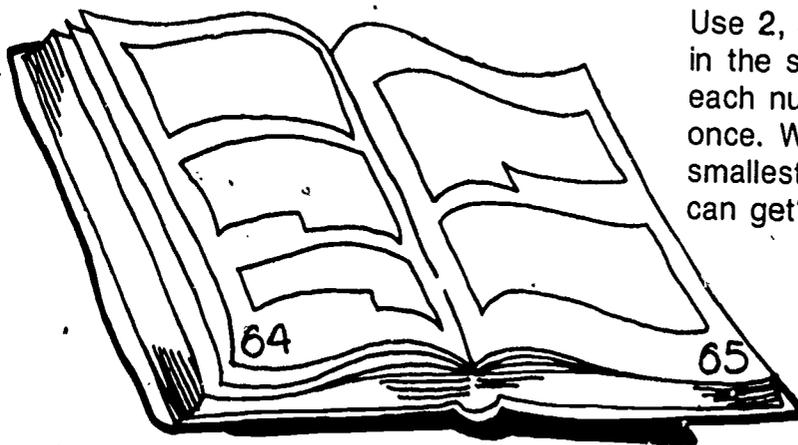
## What Is It?

What is the largest whole number that can be multiplied by 6 to get a product that is less than 10,000?



## Open And Shut

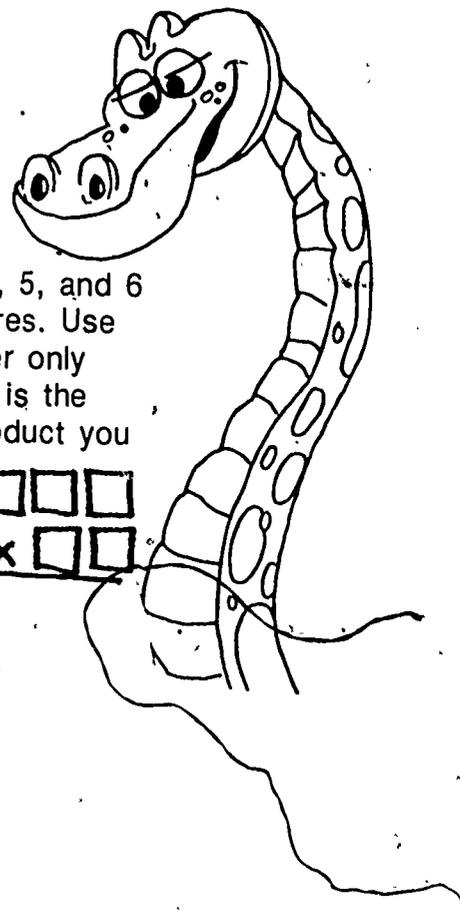
The product of these two page numbers is 4160. Where would you open the book so the product of the page numbers is 1332?



## Make It Small!

Use 2, 3, 4, 5, and 6 in the squares. Use each number only once. What is the smallest product you can get?

$$\begin{array}{r} \square \square \square \\ \times \square \square \\ \hline \end{array}$$



## Which Does Not Belong?

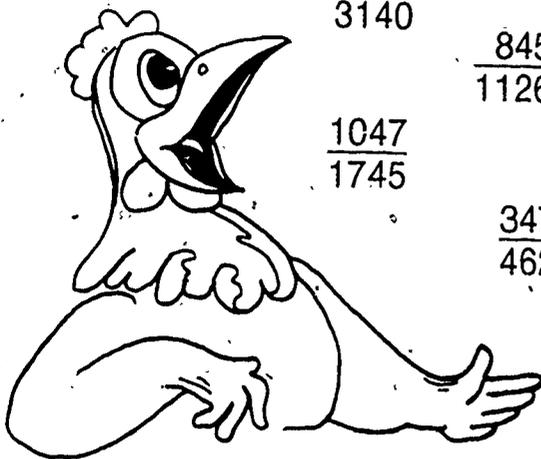
One of these fractions does not belong. Which one is it?

$$\frac{2355}{3140}$$

$$\frac{8451}{11268}$$

$$\frac{1047}{1745}$$

$$\frac{3471}{4628}$$



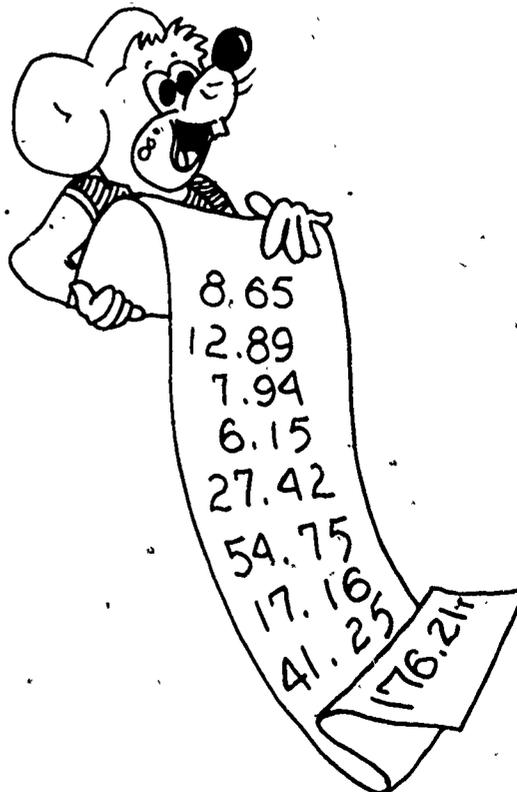
## Make It Simple!

How many times would you subtract 37 from 34,315 to display a number less than 37?

## Check It Out

This is my cash register tape for one day.

At the end of the day I found only \$163.91 in cash. One of the numbers was added when it should have been subtracted. Find the number.



## Can You Spot It?

Look for the pattern.  
Fill in the blanks.

$$(1089 \times 9) \div 1 = 9801$$

$$(2178 \times 8) \div 2 = 8712$$

$$(\quad \times \quad) \div \quad = 7623$$

$$(\quad \times \quad) \div \quad = 6534$$

$$(\quad \times \quad) \div \quad = 5445$$

$$(\quad \times \quad) \div \quad = 4356$$

$$(\quad \times \quad) \div \quad = 3267$$

## Mystery Number

I'm thinking of a number less than 100. When I divide it by 9 the remainder is 0.

But look what happens when it is divided by 8.

What number am I thinking of?



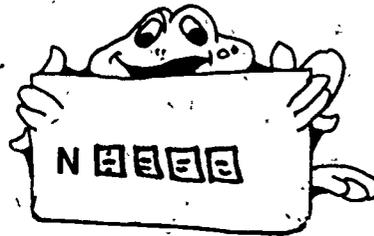
## Small Times

What is the smallest number  $N$  you can enter in this code and display a number greater than zero on your calculator?

$N$

## Look For It!

What is smallest number  $N$  you can enter in this code and display a whole number?



## Decimal Hunt

How many decimal numbers will your calculator display that are between 0.01 and 0.02?



## Push It

Find a way to push only 6 keys on your calculator to display 99980001.



## Date It!

In what year was I born?

The year is evenly divisible by 24, 41, and 48.



## Who Knows?

How many counting numbers can be displayed on an 8-digit calculator?



## Check The Remainder

How many whole numbers between 1 and 100 give a decimal part of .22222 ... when you divide by 9?



This bulletin was prepared by Earl Ockenga and Joan Duea, University of Northern Iowa, Cedar Falls, Iowa.

Copies of Calculator Information Center bulletins may be made for distribution.

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