| AOTHOK | Beaumariage, G. |
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|  | Education; Technical Reports; *Technical Writing; <br> *Vocational Education Teachers |
| IDENTIFIERS | *Schematics |

## ASSTRACT

A 45-hour three-unit course in research design, data collection techniques, and research report writing was prepared and taught to vocational/technology instractors. The course emphasized the relationship of design and data to the final reports in terms of techniques used. As a result of teaching the course, a second syllabus was developed allowing more time to be spent on the introduction of the subject matter. Both the original and the second syllabus are included in the document. A second result of teaching the course was to recommend that it be taught only to students who had taken a course in technical report writing. (The bulk of the document is devoted to chapters on schematics and. statistics tc be used in the course. The statistics chapter covers data and its arrenagement; measures of mean, median, mode, and dispersion (range, average deviation, variance, standard deviation); correlation; and linear regression. The schematics chapter discusses coding, electrical and pipe schematics, organization schematics, information and material flow schematics, and related material. Many schematic diagrams are provided as examples.) (AG)

## CALIFORNIA STATE DEPARTMENT OF EDUCATION VOCATIONAL EDUCATION SECTION

\author{

1. Project Number: <br> 2. Date Fuided:
}

### 3.0 ABSTRACT

3. TITLE OF PROJECY

Training of Vocational Education Teachers in Research Methodology and Besearch Beport Writing

## TYPE OF PROJECT


15. name of applicant institution or acency

Sacramento State University Foundation
 the Educallonet Resourcee Information Contef (ERIC). Include eutflotent delfll to provide proopective pafilelpante with neceseary informaflen se to the prolestle focve and mafor components.)
A forty-five hour ( 3 unit) course will be prepared and taught to Vocational/Technology Instructors. The course will deal with research design, data collection techniques, and Research report writing. The relationship of design and data collecting techniques to the research report will be emphasized. The requirements for teaching the course, scheduling of the course and the students (V.E. Instructors) are arranged. Students will be required to participate in all phases of. the course. Attempts will be made to have the students' research papers published.

CVEA-3

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*34-30619-40501-72

CRCU Small Grant Projects
Training of Vocational Education Teachers in Research Methodology and Writing


#### Abstract

A 45 hour three unit course has been prepared and taught to vocational/ technology instructors. The course dealt with research design, data collection techniques, and research report writing. The relationship of design and data to the final reports in terms of techniques used was emphasized. Attempts were made by the students to have some of their research papers published.

From the experience in teaching this particular 45 hour course, we discovered that the timing of the introduction of the subject matter had to be altered, A second syllabus is attached, and this is recommended in place of the original syllabus.

This course appears to be of a level of difficulty that would require another course as a prerequisite. We therefore recommend that this course be a graduate course with a course called "Technical Report Writing" in the upper division.




## 1. The Problem

1.1 The vocational educational or job-oriented instructors in community colleges do not usually take courses on technical writing, research technology or research methodology, or research report writing.
1.2 A course called "Technical Report Writing" was prepared by California State University, Sacramento, and offered to the B.V.E. candidates. Attached is a syllabus of this course.
1.3 A course for this project was prepared and taught in the fall semester of 1973. (Attached is a syllabus.)

Experience in teaching this course has led us to revise the curriculum as is shown in the second syllabus marked "New Research Methodology Course."

## 2. Activities Carried Out Under This Project

The syllabus as is attached for this course was taught to 26 students in the Fall of 73.

In order to instruct this course, chapters on schematics and statistics were prepared by the investigator. These are attached.

It has been determined by the investigator, that a course such as this should be a giaduate course for Bachelor of Vocational Education candidates. The attached syllabus for V.E. 191, Technical Report Writing, should be a prerequisite to the course prepared for this project.

## Evaluation

The project director finds that students have quite a bit of vocabulary to acquire in order to communicate correctly in any research they want to
conduct or report on. The second factor that the project director has discovered is that there is a very small number of these type candidates who are capable of handing statistics without some additional training. Terminology, research design factors, built-in biases from the techniques used to collect data, and rigor in writing methods were found to be unfamiliar to the students.

The principle evaluation result is that a pre-course, such as V.E. 191, Technical Report Writing, should be taught to these students in their senior year. The graduate course (this research methodology course) should follow in the first year of the graduate program for the Master's Degree.


#### Abstract

Summary

Research Methodology and Research Report Writing should follow the second syllabus attached to this report. Technical Report Writing should precede this course. In the limitations of a single semester, lead time for formulating and finishing an article for publication becomes of utmost importance. It is suggested that perhaps this course should be followed by a writing course, that is the students should then write their research reports for publication. There is not enough time in a semester to write a report, send it off, and get any acceptance or rejection from the normal publishing source.


GNB: jk
$6 / 18 / 73$

First syllabus for a course in research methodology and writing.
Introduction ind pre-test in first meeting.

1. What is research?

CLASS TTME
a. Problem solving
b. Pure
c. Basic
d. Action
e. Survey
f. Baselines
g. Development procedures
2. Student activities.
a. Each student is assigned to the identification of at least 3 of the items of 1 .
3. Data
a. Identification of data reievant to the research in question.
b. Collection - methods, reliability, validity, and usefulness.
c. Statistics - techniques of measurement and interpretation.
d. Presentation.
4. Student Activities
a. Each student uses data to illustrate the concepts presented in 3.
5. Research Design
a. Identification of problem.
b. Analysis of problem.
c. Deiimiting - reasons for and methods
d. Results - influences and bias which affect result of research.
e. Identification of factors which control results.
6. Presentation
a. Schematics
b. Formats
c. Communication aids

1. One 3 hour period.
2. One 3 hour period.
3. One 3 hour peiriod.
4. a. One 3 hour period.
5. The second period of 3 hours will be spent discussing their results or findings.
6. a. One 3 hours period.
b. One 3 hour period.
c. Two 3 hour periods.
d. One 3 hour period.
b. \&c. One 3 hour period.
7. Student activities
a. Each student will prepare and present illustration of 6 .
8. The reader or Customer
a. Styles - factors that are to be considered in terms of the end use or purpose of the research.
b. Format influence in terms of the reader.
9. A Research Paper
10. One 3 hour perioù.
11. Two or three 3 hour periods.

Post Test

BIBLIOGRAPHY AND REFERENCE MATERIAL
Writing a Technical Pape:; Menzel, Jones, Boyd; McGraw-Hill Book Co. Technical and Professional Writing: Estrin, ed.; Harcourt, Brace, \& World. Modern Technical Writing: Sherman; Prentice Hall.

Technical Writing: Mills, Walter; Holt, Rinehart, Winston.
The Stockwell Guide for Technical and Vocational Writing: Stockwell; Cummings Publishing Company.

Introduction to Research: Hillway; Houghton Miffin Company.
Techniques for Efficient Research: Lloyd; Chemical Publishing Company.
The MLA Style Sheet: Modern Language Association of America.
Writing Business and Economics Papers: Dawe; Littlefield, Adams.
Practical Report Writing: Santmyers; International Textbook Company.
The McGraw-Hill Authors Book: McGraw-Hill Company.

GNB: jk
6/13/73

SUBUECT MATTER

1. What is research: Problem Solving;

Pure; Basic; Action; Survey; Baselines: Development procedures.
2. Student Activities: Each student is assigned or picks a proposed research project.
3. . Identification of potential publisher. Brief outline in form required by publisher.
4. Data
a. Identification of data relevant to the research in question.
b. Collection - methods, reliability, validity, and usefulness.
c. Statistics - techniques of measurement and interpretation.
d. Presentation.
5. Student Activities
a. Each student uses data to illustrate the concepts presented in 4.
6. Research Design
a. Identification of problem.
b. Analysis of problem.
c. Delimiting - reasons for and methods
d. Results - influences and bias which affect result of research.
e. Identification of factors which control results.
7. Presentation
a. Schemacics
b. Formats
c. Communication aids
8. The reader or Customer
a. Styles - factors that are to be considered in terms of the end use or purpose of the research.
5. One three hour period.
6. One three hour period.
7. One three hour period.
8. One three hour period.
b. Format influence in terms of the reader.
9. Finish paper in outline form first and in finished form if possible
9. The rest of the semester.

## BActublor 0 V VOAMTit):AL Enifcatean:

## YB 191 Techniesi Report Writing

## 3 unita

Technicul weitinf, ite purpos and beyle. The formal cichrane of sechuical
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## COURSE OUTWTMTS

## Prel:minany Problama


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## Types of Reportiz

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 Writing

## Progozals

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INTRODUCTION
Graphics or graphical presentation of ideas and solutions of problems is the best method of communication. Although the analytical solution of problems is a basic method, the graphical tools available make communication and solution clear and precise.

Much has been said on the subject of communication. This book is designed to assist in helping to recognize and use the special tools called graphics. The graphic tools described herein will help in communicating with the public and on the job.

Specifically, the graphics described will help:

1. To develop the ability necessary to graphical solution of space problems.
2. To develop the ability to graphically represent data and phenonena.
3. To develop the ability to illustrate problems, thus enabling the student to grasp their nature and to then solve them.
4. To introduce the graphical nature of the more sophisticated and involved problems.
5. To develop the ability to think creatively.
6. To develop the understanding necessary to calculate abstract solutions of involved rroblems.
7. To graphically illustrate certain mathematically processes and their relation to problem solutions.

It is intended that the general principles discussed be used in applications that are understandable to the student. It is further intended that the principles be avallable for use later on in the
di:ore advanced work. One who continues to use these graphic tools will find that they are highly flexible and valuable at all levels, both to solve problems and to clearly present solutions.

### 1.1 Statistics

Throughout most peoples lives today, we find people using numbers and relationships called "statistics." Things are proved and disproved by the manipulation of numbers or data and are accepted because they are statistics. To a great extent, the exact usage of some of the terms is a little vague. Usually, the beginning student finds himself bombarded by statistical terms and usage. For this reason, this chapter is presented to help define some simple terms and to clarify what some statistics mean.

### 1.2 Data and its Arrangement

One of the first rules in statistical treatment is that there must be sufficient data and that it must be representative of the domain under treatment. Data is the numerical representation of some phenomena. For instance, it is the number of blue-eyed men in the room, or the individual weight of each student or the grade that each person received in the last test. Whatever it represents, it is a group of numbers. Some samples of data are given in figures 1.1 and 1.2. If the numbers involved are few enough, the data may be treated by simple arithmetic. But if the data is sufficiently large, a suitable manner of handling or grouping the data is necessary.

In the treatment of all data, it is always advisable to graphically plot the information. Figure 1.3 shows a typical plot of data. As can be seen, the data assumes a certain distribution. That is, the

Ras: $\mathrm{nan}_{3}$

| 32 | 62 | 42 | 58 | 42 | 39 | 50 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 36 | 50 | 40 | 37 | 44 | 50 | 44 |
| 33 | 53 | 44 | 48 | 49 | 44 | 42 |
| 31 | 555 | 42 | 50 | 53 | 47 | 48 |
| 42 | 58 | 37 | 37 | 55 | 53 | 47 |
| 14. | 59 | 39 | 39 | 42 | 48 | 47 |
| 39 | 32 | 39 | 39 | 39 | 47 | 48 |
| 37 | 59 | 33 | 55 | 40 | 44 | 44 |
| 47 | 36 | 36 | 55 | 42 | 42 | 42 |
| 48 | 47 | 58 | 44 | 37 | 50 | 53 |

Figure 1.1

Data Array

| 31 | 37 | 42 | 44 | 48 | 55 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 32 | 39 | 42 | 44 | 48 | 55 |
| 32 | 39 | 42 | 47 | 48 | 55 |
| 33 | 39 | 42 | 47 | 50 | 55 |
| 33 | 39 | 42 | 47 | 50 | 58 |
| 36 | 39 | 42 | 47 | 50 | 58 |
| 36 | 39 | 41 | 47 | 50 | 58 |
| 36 | 39 | 44 | 47 | 50 | 59 |
| 37 | $4 i$ | 44 | 47 | 53 | 59 |
| 37 | 42 | 44 | 48 | 53 | 62 |
| 37 | 42 | 44 | 48 | 53 |  |
| 37 | 42 | 44 | 48 | 53 |  |

Figure 1.2
date has a range-from low to high, and 1 t tends to average or balance around a midpoint.

The average or mean value of the data is the midpoint of balance if you consider the area under the curve plotted from that data. It is called the arithmetic average, or mean.

The meesure of the central tendency or distribution of the data In terms of its closeness or spread from the mean, can be expressed in several ways. These measures of central tendency will be defined in the next section.

### 1.3 Measures of Central Tendency

1.3-1 Mean

$$
\text { Mean }=M=\bar{X}=\frac{X}{N}=\frac{X_{1}+X_{2}+X_{3} \cdot \cdots}{N}
$$

If the data is sufficiently small in number or if the universe is small ( $N$ is small) then each numerical value of each item multiplied by the number of times it occurs can be added and the total divided by the number of items ( $N$ ) and this is called the average or mean.

$$
\frac{x_{1}+x_{2}+x_{3} \cdot \cdot x_{11}=\bar{x}}{N}
$$

If $N$ is sufficiently large, this can be rather tedious. By grouping the values into class intervals and treating the groups as a single calculation, a rapid method is provided.
1.3-2 Mode

Mode is the value of the data which occurs most frequently if the variable is discrete. It is a peak value of a frequency distribution.
bin.odal distribution refers to data with two peaks. The mode can be determined by observation as well as calculated from grouped data.

## 1.3-3 Median

The median is the middle value in a set of data and is determined after the data has been arranged in rank order of magnitude. It is the value above and below which there is an equal number of data observations. Simply, it is one more than half but in grouped data it can be calculated as shown later. The median is a positional value. 1.3-4 Quartile

When the data is arranged in rank order of magnitude, one of the measures of central tendency is the quartile. This is $25 \%$ of the values and is identified as $Q_{1}$ for the lower $25 \%$ or point at which $25 \%$ is below. $Q_{3}$ represents the value below which $75 \%$ of the values fall. $Q$ is,
$\frac{Q_{3}-Q_{1}}{2}$, a specific calculated value. Percentiles are values below which are found that percentage of the total values. i.e., 99 percentile means $99 \%$ of the values are below this. Obviously, you cannot have a 100 percentile.

## 1.3-5 Calculations

Using the following table of data, rapid methods of calculating statistical facts will be shown.

Raw Data
Data Array

| 23 | 70 | 36 | 53 | 23 | 45 | 53 | 67 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 45 | 70 | 39 | 53 | 25 | 45 | 53 | 67 |
| 26 | 71 | 39 | 65 | 26 | 45 | 53 | 67 |
| 25 | 72 | 42 | 65 | 26 | 45 | 53 | 70 |
| 53 | 73 | 42 | 63 | 29 | 45 | 61 | 70 |
| 45 | 34 | 39 | 63 | 29 | 45 | 61 | 70 |
| 67 | 34 | 39 | 65 | 34 | 45 | 61 | 71 |
| 53 | 34 | 39 | 65 | 34 | 45 | 61 | 72 |
| 45 | 36 | 42 | 65 | 34 | 48 | 61 | 73 |
| 26 | 45 | 42 | 65 | 36 | 48 | 61 |  |
| 29 | 45 | 39 | 63 | 36 | 48 | 61 |  |
| 29 | 45 | 39 | 63 | 36 | 48 | 61 |  |
| 45 | 61 | 42 | 63 | 36 | 48 | 61 |  |
| 45 | 61 | 53 | 63 | 36 | 48 | 63 |  |
| 53 | 48 | 53 | 65 | 39 | 48 | 63 |  |
| 53 | 61 | 48 |  | 39 | 48 | 63 |  |
| 67 | 61 | 48 |  | 39 | 48 | 63 |  |
| 70 | 63 | 43 |  | 39 | 48 | 63 |  |
| 67 | 61 | 42 |  | 39 | 48 | 63 |  |
| 42 | 61 | 48 |  | 39 | 48 | 63 |  |
| 42 | 48 | 48 |  | 42 | 53 | 65 |  |
| 45 | 48 | 48 |  | 42 | 53 | 65 |  |
| 53 | 61 | 53 |  | 42 | 53 | 65 |  |
| 65 | 61 | 53 |  | 42 | 53 | 65 |  |
| 67 | 61 | 53 |  | 42 | 53 | 65 |  |
| 53 | 36 | 48 |  | 42 | 53 | 65 |  |
| 53 | 36 | 48 |  | 42 | 53 | 65 |  |
| 67 | 36 | 48 |  | 42 | 53 | 67 |  |
|  |  |  | 42 | 53 | 67 |  |  |

To compute the mean of the data, establish three columns on a sheet of paper. Thi. first column is headed $V$ for the "value" of items to be listed. Any name can be used that describes the data. The second column is headed $f$ for the. "frequency" or number of times each value appears in the array. The third column is headed $V-f$, meaning "value times frequency."

Next, list in coiumn $V$ each value appearing in the array. List each value only once. Now multiply each value by its frequency and place the product in column V-f. Finally, total the $f$ column ald total the $V-f$ column. The result appears as follows:


The mean, 51.16 is the one figure which fits the data and is most representative of each value in the numerical array. Since all of the values were used in arriving at the mean, it represents a cross section of all of the data or average.

The formula for obtaining the mean by the short method is:

$$
M=A M+\left(\frac{f \dot{d}}{N}\right) \quad c \cdot i
$$

where: $M=$ the mean
$A M=$ the midpoint of the assumed mean class
d = deviation from midpoint by $\varepsilon$ roups or intervals
$\Sigma=$ (Greek letter, sigma) the sum or summation (total)
fd $=$ the frequency times the deviation
$\mathrm{N}=$ the number of cases (otal of frequencies)
c.1. : the class interval
$f=$ frequency of occurance
The guessed mean method uses the frequency distribution. From the array the range is $(73-23)+1=51$. To have seven groups or class intervals,
a frequency distribution with a class interval of 8 is constructed as follows:



Values
Figure 1.3


From this table, it can be seen that the midpoint is approximately 50 or in c.i. 44-50. The cluster of the data at this class reveals the central tendency of the entire mass of data. When the frequency distribution is plotted on a chart, there is a hump, or peak at the midpoint. (See figure 1.3)

The line plotted on the graph approaches the normal curve, and the extremes taper away from the peak at a fairly constant rate. Ob serve that the frequencies are plotted on the vertical axis and that the midpoints of each class are plotted on the horizontal axis.

The third column is $d$, which stands for deviation from the guessed mean. The fourth column is headed fd, or frequency times deviation.

Now, by inspection guess which class contains the mean. The formula provides a correction which gives a fairly accurate mean as the final answer. Use class $44-50$ as a guess. The guessed mean then becomes the midpoint of the guessed mean class, or 47 . The midpoint of a class is obtained by adding one-half the class interval to the lower class limit $(3.5+43.5)$. Set off class $44-50$ by drawing a line above and below it clear across the page. Then place a zero opposite this
class in columns $d$ and $f d$.
Next, complete the deviation column, headed $d$. The deviation is simply the number of classes any one class is above or below the guessed mean class. Thus, class $37-42$ is below class $44-50$ in value. It is one deviation below the guessed mean class. Since it is below the guessed mean class in magnitude, the 1 is preceded by a minus sign, place a -1 opposite it in column d. Class 30-36 is two classes away from the guessed mean class. A -2 is placed in column d. Class 23-29 being three classes away and is -3 in coiumn $d$.

On the other side of the guessed mean, the deviations are assigned in a similar manner, except that since these are greater than the guessed mean class, they are given a plus sign.

The next step is to compute column fd, or $f$ times column d. Remember to carry the sign along with the product.

Now, find fd.


Thus, fd is -60 ; the class interval, is $8 ; N$ is 100 , $\Sigma f$; and $M$ is 47. From the formula,

$$
\begin{aligned}
& i=A M+\left(\frac{f d}{N}\right) c . i . \\
& M=47+\left(\frac{-60}{100}\right) 8 \\
& M=47+4.8 \\
& M=51.8
\end{aligned}
$$

The mean, as figured by the long method from the numerical array, was 51.16 inches, a 0.74 difference in the two computations. The computed mode and median may give two other values for the average of this data.

The Median The median is the halfway point in the range of values. It is located at the point where one-half of the values fall below it and the other half of the values fall above it. It is not necessary that it be an actual number physically present as one of the values. In the series 2, 3, 4, the median is 3 because 3 divides the series in half. In the values $2,3,7,9,12$, the median is 7 because one-half of the items lie to either side of 7. In the series $2,3,4,5$, the median is 3.5 because the exact center of the four numbers falls midway between 3 and 4.

From a numerical array, it is only necessary to count values from one end or the other until the middle value is reached and you have the median. In the array of 100 , since 100 is an even number, the median
lips between the 50 th and 51 st items. Since the value of the 50 th item is 48 and of the 5 lst 53 , the median is $48+(53-48) \div 2=50.5$.

Remember that the median is a position first and a value second. The size of the values do not affect the median; it is always in the middle.

Because ungrouped data is cumbersome to work with, another method of finding the median is desirable. The selection of the median from the frequency distribution with the aid of a formula provides a more simplified computation.

Formula,

$$
\text { Med }=L_{1}+\left(\frac{\frac{\mathrm{N}}{2}-\mathrm{f}_{1}}{\mathrm{fmed}}\right) \text { c.i. }
$$

where:
Med $=$ the med'.an
$L_{1}=$ the lower limit of the class containing the median
$\frac{N}{2}=1 / 2$ the sum of the frequencies
$f_{1}=$ the summation of the frequencies of all classes below the class containing the median
fred $=$ the frequency of the class containing the median
c.i. $=$ the class interval

 $f$ which is as close as possible to $N / 2$ but does not exceed it. Since $N / 2$ is 50 , the nearest lower value in column $f$ is 50. Therefore, $f_{1}$ is 50.

The frequency of the median class is 21. Fmed is 30 . The lower class limft of the median class is $43.5=L_{1}$. The class interval, or c.1., is 8.

By substitution:

$$
\begin{aligned}
& \text { Med }=L_{1}+\left(\frac{\frac{N}{2}-\mathrm{f}_{1}}{\text { fmed }}\right)_{\text {c.i. }} \\
& \text { Med }=43.5+\left(\frac{\frac{100}{2}-29}{21}\right)_{.8} \\
& \text { Med }=50.5
\end{aligned}
$$

Thus, it is found 1 :at the median, or exact center of the 100 cases, is 50.5 by efther method.

## The Mode

The mode, or value which appears most frequently, can be determined from a numerical array by inspection. The mode in this array, by inspection, is 53 , that is 53 appears more times than any other value. The mode can also be found when the data has been grouped into a frequency distribution.
(5) $\quad M o=L_{\text {mo }}+\left(\frac{d_{1}}{d_{1}+d_{2}}\right)$ c.i.

First, inspect the frequency column and determine the class which contains the greatest number of frequencies. This class is called the modal class. Set it off by drawing lines above and below it.

| c.i. | f |
| :--- | ---: |
| $23-29$ | 6 |
| $30-36$ | 8 |
| $37-43$ | 15 |
| $44-50$ | 21 |
| $51-57$ | 14 |
| $58-64$ | 16 |
| $65-71$ | 17 |
| $72-78$ | 3 |

In the formula, $d_{1}$ is the difference between the frequencies in the modal class and the frequencies of the class immedately under it in magnitude, and $d_{2}$ is the difference between the frequencies in the modal class and the frequencies of the next higher class.

Since class $37-1.3$ is the next lower class from modal class 44-50, take the difference between 15 and 21 (the frequencies of the two classes) $d_{1}=6$.

Class 5l-57 is the next higher class, take the difference between 14 and $21, d_{2}=7$.

Substituting in the formula:

$$
\begin{aligned}
& M_{0}=L_{\text {mo }}+\frac{\left(d_{1}\right)}{d_{1}+d_{2}} c .1 . \\
& M o=44+\left(\frac{6}{6+7}\right) .8
\end{aligned}
$$

$$
\begin{aligned}
& \text { Mo }=44+3.69 \\
& \text { Mo }=47.69
\end{aligned}
$$

The mode as computed from the frequency distribution is 47.69 inches. The mode is not affected by extreme values in the series, but to be representative of the data, it must have a cluster of frequencies around it.

|  | Numerical <br> array | Frequency <br> distribution | Difference |
| :--- | :--- | :--- | :---: |
| Mean: | 51.16 | 51.80 | 0.84 |
| Mode: | 53.00 | 47.69 | 5.31 |
| Median: | 50.5 | 50.5 | 0.00 |

It is necessary to have more than one method of computing averages because one average may be more meaningful than another.

There is a definite relationship between each of the statistical averages : $d$ the character of the plotted data. These relationships are as follows:
a. The mean and median always move in the direction of skewness.
b. The mode is the value at the highest point in the curve.
c. The median almost always falls numerically between the mode and the mean.
d. In a perfect distribution, the mean, median, and mode will fall at the same point.

The relative positions of the three averages in a curve skewed to the right are shown in figure 1.4. Figure 1.5 also shows the relative position of the three averages, but in this illustration the curve is skewed to the left.
1.4 Measures of Dispersion

- Dispersion can be defined most simply as the spread or scatter of



$$
\text { Ficure } 1.5
$$

values in the data.
There are several methods by which one may measure dispersion. Three types are range, average deviation, and standard feviation.

## 1.4-1 Range

The range is the most readily understood measure of dispersion. It is simply the difference between the highest and lowest values in a study. For example, the average examination grades of 10 students are:

| Student No. | Average Grade |
| :---: | :---: |
| 1 | $99 \%$ |
| 2 | $96 \%$ |
| 3 | $94 \%$ |
| 4 | $90 \%$ |
| 5 | $89 \%$ |
| 6 | $86 \%$ |
| 7 | $78 \%$ |
| 8 | $67 \%$ |
| 9 | $50 \%$ |
| 10 | $32 \%$ |

In this example the lowest grade is 32 percent, and the highest is 99 percent. The differerce $(99-32)$ is 67 percent, which is the range of the grades. Sometimes statisticians use a metiod for computing range which is known as the inclusive range. In this method, the computation is made by finding the difference between the lowest and highest values of a series plus 1. For example, in the series of data containing the 10 students' grades, the inclusive range would be: $99-32+1=68$. For the data given before the range $=(73-23)+1=51$.

Another method is that of average deviation.
1.4-2 Average Deviation

The second measure of dispersion that we shall consider is average deviation. Average Deviation is usually taken to be the average deviation from the mean without regard to the direction of the deviation. To find the average deviation of a numerical array, simply divide the sum of the differences between the mean and each number in the array by the number of items used.

$$
\text { A.D. }=\frac{\sum_{i=1}^{n}\left[x_{i}-\bar{x}\right]}{N}
$$

To compute the average deviation from a frequency distribution, it is necessary to subtract the mean from the midpoint of each class, then multiply this difference by the frequency of that class, as illustrated below. This mean is 12.83

| Class | $\mathbf{f}$ | $\mathbf{d}$ | $\mathbf{f d}$ |
| :---: | ---: | ---: | ---: |
| $0-4$ | 3 | -10.33 | -30.99 |
| $5-9$ | 7 | -5.33 | -37.31 |
| $10-14$ | 9 | -.33 | -2.97 |
| $15-19$ | 7 | 4.67 | 32.69 |
| $20-24$ | 4 | .9 .67 | 38.68 |

The crue deviation of the midpoint of class 0-4 from the mean is 2.5 minus 12.83 or -10.33 . Now, add the frequencies times the deviations without regard to algebraic sign. The sum of the frequencies times deviation (142.64) is divided by the sum of the frequencies (30) to find the average deviation.

$$
142.64 \div 30=4.75
$$

Average deviation may also be found from the median.

## 1.4-3 Variance

In the above, the sign of the value $x_{i}-\bar{x}$ was not used. If the signed values had been used, the effect of larger deviations would have been abnormal. A more precise measure of dispersion is used called mesn square deviation or variance. It is defined as


## 1.4-4 Standard Deviation

Standard deviations is the square root of the sum of the deviation squared, divided by the total number of items in the study. It is perhaps better to define standard deviation by the use of a formula:

$$
\sigma=\sqrt{\sigma^{2}}=\sqrt{\sum_{i=1}^{n} \frac{\left(x_{i}-\bar{x}\right)^{2}}{N}}
$$

where
$\sigma$ (lower case Greek letter sigma) is the standard deviation $\left(x_{1}-\bar{x}^{2}\right)$ is the deviation from the mean squared
$N$ is the total number of items in the study

Because standard deviation is the quadratic mean of the deviation from the arithmetic mean, it is sometimes called the root mean square.

The above formula works well on upgrouped data, but it will not work on data that has been grouped into a frequency distribution. Using
the following grouped array of data the method is as follows:

| Scores |  |
| :--- | ---: |
| $80-85$ |  |
| $86-91$ | 4 |
| $92-97$ | 5 |
| $98-103$ | 13 |
| $104-109$ | 15 |
| $110-115$ | 23 |
| $116-121$ | 17 |
| $122-127$ | 9 |
| $128-133$ | 8 |
| $134-139$ | 4 |
| $140-145$ | 3 |
| $146-151$ | 2 |
| $152-157$ | 2 |
| $158-163$ | 1 |


| Class Interval | $f$ | d | fd |
| :---: | :---: | :---: | :---: |
| 80-85 | 4 | -5 | -20 |
| 86-91 | 5 | -4 | -20 |
| 92-97 | 13 | -3 | -39 |
| 98-103 | 14 | -2 | -28 |
| 104-109 | 15 | -1 | -15 |
| 110-115 | 23 | 0 |  |
| 116-121 | 17 | 1 | 17 |
| 122-127 | 9 | 2 | 18 |
| 128-133 | 8 | 3 | 24 |
| 134-139 | 4 | 4 | 16 |
| 140-145 | 3 | 5 | 15 |
| 146-151 | 2 | 6 | 12 |
| 152-157 | 2 | 7 | 14 |
| 158-163 | 1 | 8 | 8 |
|  | $N=120$ |  | $\mathrm{d}=$ |

For the standard deviation of the above distribution, formula:

where
$\delta$ is the standard deviation
$\mathrm{fd}^{2}$ is the sum of the frequencies times the squared of the deviations
fd is the sume of the frequencies times the deviation
c.i. is the class interval
$N$ is the total number of cases


In a normal distribution, 68.26 percent of all the cases in a study will lie between -1 standard deviation and +1 standard deviation (see figure 1.6.) Two standard deviations extending in each direction from the mean include about 94 percent of the cases, while 3 standard deviations extending in each direction from the mean include approximately 99.75 percent of the cases. While in some rare instances there have been cases that will deviate as much as 5 standard deviations, for practical
purposes, 3 standard deviations may be considered to include 100 percent of a universe.

### 1.5 Correiation

The relationship which exists between two or more variables is known as correlation and the mathematical description of this relationship is known as correlation coefficients.

## 1.5-1 Types of Correlation

Linear correlation may be either positive (direct) or negative (indirect or inverse). Positive correlation simply means that, as the value of one variable goes up, the value of the other also goes up. In negative correlation, on the other hand, when the value of one goes up, the value of the other goes down.

An example of positive correlation, is speed's relation to horsepower. The gradual increase of horsepower of internal combustion engines has given parallel increase fit the speed possible in automobiles. The development of extremely high horsepower motors has resulted in the March 1, , $:$, and 3 speeds of aj craft.

An example of negative correlation may be found in rifle range practice. As distance increases accuracy decreases. As distance decreases, accuracy increases.

One way of showing correlation graphically is by the use of a scatter diagram. The scatter diagram is simply a graph in which each point represents two values. (See figure 1.7).


Figure 1.6


Figure I.7'

Here is a table of data.
-

| Date | Number of Trips | Totp1 Tons |
| :---: | :---: | :---: |
|  |  |  |
| 2 | 55 | 400 |
| 3 | 175 | 1150 |
| 4 | 160 | 1100 |
| 5 | 240 | 1250 |
| 6 | 210 | 1210 |
| 7 | 135 | 780 |
| 8 | 110 | 660 |
| 9 | 190 | 1050 |
| 10 | 175 | 980 |
| 11 | 120 | 700 |
| 12 | 150 | 900 |
| 13 | 210 | 1250 |
| 14 | 180 | 1110 |
| 15 | 160 | 1000 |
| 16 | 190 | 1150 |
| 17 | 175 | 1150 |
| 18 | 190 | 1150 |
| 19 | 205 | 1220 |
| 20 | 190 | 1190 |
| 21 | 175 | 1050 |
| 22 | 230 | 1400 |

This information has been used to plot figure 1.8. The uppermost dot in figure 1.8 represents the data for 22 of the month.

It will be noted that the general pattern for the group runs from the lower left corner of the scatter diagram to the upper right corner. It should also be noted that the dots deviate only slightly from 2 straight line. This would indicate a fairly strong correlation. If all the dots fell on a straight line running from the lower left to the upper right, then we would have a perfect positive correlation.

In looking at different patterns formed by a scatter diagram, we find each pattern tells something about the correlation. Figure 1.9 shows some common patterns and their meanings.


Figure 1.9


Positive Correlation


Negative Correlation
$\because \because \because \therefore \because \quad$ No Correlation


No Correlation

ERIC


No Correlation


Figure 1.10

Correlation may also be shown through the use of multiple-line charts, figure 1.10.

Notice that as one line goes up, the other does also. This would indicate a fairly strong positive correlation. If the peaks of one line and the troughs of the other were in the same or approximately same vertical plane, then we would have a negative correlation.

While the indication of correlation shown graphically is sufficient, the relationship can also be expressed mathematically. The expression of correlation mathematically is known as the correlation coefficient, or the coefficient of correlation.

## 1.5-2 Correlation Coefficients

Correlation coefficients range from $2-1$ (perfect negative) to a +1 (perfect positive) correlation.

Correlation coefficients must not be confused with percentage. If the correlation of $x$ to $y$ is .75 , this does not mean that we can predict y's exactly 75 percent of the time.

The rank-diffelence method of finding correlation coefficients is valuable in finding Trends. To find the true relationship between two variables requires a fairly large number of measurements. Trends, however, may be established with a relatively small number of measurements, with less than 25 pairs of measurements to establish a trend, the rank-difference method is particularly valuable.

Using the same information that we portrayed graphically in figure 1.8, the correlation coefficient of the number of trips to the tons hauled can be shown. The first step in finding this coefficient is the ranking
of east measure. In this case, the number of trips is ran? $\in \dot{c}$ fir column $R_{1}$ and the number of tons in column $R_{2}$. To rank the trips, we find the highest number of trips (240) and assign it the rank of 1 . The next highest number of trips (230) we assign rank 2. When there is a tie for a particular rank, we simply take an average of all the rank positions for which there was a tie and assign this average to all numbers. For example, in the following list, 210 gives us a tie for the 3 rd and 4 th rank positions. The average (3.5) is assigned to each and we continue with the next unused rank, which is 5. The next tie (190) is for rank $6,7,8$, and 9. The average (7.5) is assigned to all 190 's and we continue with rank 10, etc. through 21.

The number of tons hauled are ranked in a manner similar to that shown in column $R_{2}$.

The pairs may be ranked in either ascending or descending order, provided both series are handled in the same manner.

| Date | No. of Trips | ${ }^{\mathrm{R}}{ }_{1}$ | Tons of Cargo | $\mathrm{R}_{2}$ |
| :---: | :---: | :---: | :---: | :---: |
| Jan. 2 | 55 | 21 | 400 | 21 |
| 3 | 175 | 12.5 | 1150 | 8.5 |
| 4 | 160 | 15.5 | 1100 | 12 |
| 5 | 240 | 1 | 1250 | 2.5 |
| 6 | 210 | 3.5 | 1210 | 5 |
| 7 | 135 | 18 | 780 | 18 |
| 8 | 110 | 20 | 660 | 20 |
| 9 | 190 | 7.5 | 1050 | 13.5 |
| 10 | 175 | 12.5 | 980 | 16 |
| 11 | 120 | 19 | 700 | 19 |
| 12 | 150 | 17 | 900 | 17 |
| 13 | 210 | 3.5 | 1250 | 2.5 |
| 14 | 180 | 10 | 1110 | 11 |
| 15 | 160 | 15.5 | 1000 | 15 |
| 16 | 190 | 7.5 | 1150 | 8.5 |
| 17 | 175 | 12.5 | 1150 | 8.5 |
| 18 | 190 | 7.5 | 1150 | 8.5 |
| 19 | 205 | 5 | 1220 | 4 |
| 20 | 190 | 7.5 | 1190 | 6 |
| 21 | 175 | 12.5 | 1050 | 13.5 |
| 22 | 230 | 2 | 1400 | 1 |

After we have ranked each series in the pair, we take the absolute difference ( $D$ ) between the ranks ( $R_{1}$ and $R_{2}$ ); hence, it is named the rank-difference method of finding the coefficient of correlation. Then we square the difference ( $D^{2}$ ).

| $\mathrm{R}_{1}$ | $\mathrm{R}_{2}$ | D | $\mathrm{D}^{2}$ |
| :---: | :---: | :---: | :---: |
|  | 21 | - | - |
| 21 | 21 | 0 | 0 |
| 12.5 | 8.5 | 4 | 16 |
| 15.5 | 12 | 3.5 | 12.25 |
| 1 | 2.5 | 1.5 | 2.25 |
| 3.5 | 5 | 1.5 | 2.25 |
| 18 | 18 | 0 | 0 |
| 20 | 20 | 0 | 0 |
| 7.5 | 13.5 | 6 | 36 |
| 12.5 | 16 | 3.5 | 12.25 |
| 19 | 19 | 0 | 0 |
| 17 | 17 | 0 | 0 |
| 3.5 | 2.5 | 1 | 1 |
| 10 | 11 | 1 | 1 |
| 15.5 | 15 | 0.5 | 0.25 |
| 7.5 | 8.5 | 4 | 16 |
| 7.5 | 8.5 | 1 | 1 |
| 5 | 4 | 1 | 1 |
| 7.5 | 6 | 1.5 | 2.25 |
| 12.5 | 13.5 | 1 | 1 |
| 2 | 1 | 1 | 1 |
|  |  |  | $E^{2}=106.5$ |

Liow compute the correlation coeificient. The formula is:

$$
\rho=\frac{-6 E D^{2}}{N\left(N^{2}-1\right)}
$$

where:
$p$ (Greek letter rho) is the coeffirient of correlation
$D$ is the difference between the ranks
$N$ is the number of pairs of measurements
with 21 pairs of measurements

$$
\rho=1-\frac{6(106.5)}{21(441-1)}
$$

It can be seen that a correlation coefficient of .93 confirms the earlier predictions from the graphs of a strong positive correlation.

## 1.5-3 Linear Regression

If we consider two variables or two sets of data and are interested In the variability relationship, this can be expressed as an association of one variable to the other. Using a line representing the "best-fit" of the data ( $x, y$ - two variable) we can express the line as $y=m x+b$ where:

$$
\begin{aligned}
& m=\text { slope of line } \\
& b=y \text { intercept at } x=0
\end{aligned}
$$

That is, given any value of $x$, $y$ can be predicted by formula $y=m x+b$, the relation between $x$ and $y$.

To calculate this formula the following steps are used.

$$
m=\frac{N \sum x y-\sum x \cdot \sum y}{N \sum x^{2}-\left(\sum x\right)^{2}}
$$

$$
b=\frac{\sum x^{2} \sum y-\sum x \sum x y}{N \sum x^{2}-\left(\sum x\right)^{2}}
$$

The best method to use is to arrange the data in table form as shown below.

$$
\begin{aligned}
& m=\frac{6 \cdot 2141-95 \cdot 130}{6 \cdot 1613-(95)^{2}} \\
& =\frac{12846-12350}{9678-9025} \\
& =\frac{496}{653} \\
& =.759 \\
& b=\frac{1613 \cdot 130-95 \cdot 2141}{6 \cdot 1613-(95)^{2}} \\
& =\frac{209690-203395}{9678-9025} \\
& =\frac{6295}{653} \\
& =9.64 \\
& \text {. . } y=.759 x+9.64 \text { for these data. }
\end{aligned}
$$

## 1.5-4 Product Moment Correlation

Another form of correlation is the product-moment coefficient of correlation which shows che extent variations of two factors agree in direction and relative size. This correlation is represented by

$$
r=\frac{\Sigma x y}{\sqrt{\Sigma x^{2} \cdot \Sigma y^{2}}}
$$

To calculate this relationship the following procedure is used.

1) The two factors (data) are arranged in columns.
2) The mean is calculated for each factor.
3) The deviation from the mean is noted, plus for above and minus for below.
4) The deviations are multiplied ( $x \cdot y$ ) and given the sign derived.
5) The deviations are squared ( . . plus values).
6) The values are substituted in the above formula.

For example:

1.0 Problems
1.6.1 Using tables $A$ and $B$ of Figure 1.11 calculate
a). All measures of central tendancy
b). All measures of dispersion
c). Three correlcations
1.6.2 The diamers of a sample of bolts were (in inches)

| 1.1440 | 1.420 | 1.495 | 1.501 | 1.542 | 1.501 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1.500 | 1.505 | 1.541 | 1.1195 | 1.507 | 1.506 |
| 1.540 | 1.520 | 1.521 | 1.503 | 1.516 | 1.517 |
| 1.515 | 1.507 | 1.422 | 1.521 | 1.503 | 1.508 |
| 1.530 | 1.517 | 1.518 | 1.507 | 1.496 | 1.518 |
| 1.1414 | 1.501 | 1.463 | 1.178 | 1.470 | 1.508 |
| 1.475 | 1.497 | 1.471 | 1.502 | 1.197 | 1.460 |
| 1.498 | 1.518 | 1.506 | 1.457 | 1.461 | 1.462 |
| 1.472 | 1.477 | 1.477 | 1.471 | 1.471 | 1.501 |
| 1.575 | 1.455 | 1.456 | 1.500 | 1.476 | 1.479 |

a). Nake a froçuency table.
b). Calclilete mean, mode, median, variance, standard deviation.
c). What percentage of the bolts are over 3 standard deviations out of tolerance?


EI:UPF: 1.11

SCHEMATICS


### 2.1 Schematics

Schematics is defined by Webster to be the arrangement of constituents or parts into a pattern or a scheme of things. In graphics, shematic means the representation of any data or phenomena in a diagrammatic manner.

The important part of the definition is the fact that any data or phenomena can be represented in a graphic manner. It can be in two or three dimensions. The details are important only to the correct portrayal of the broad principle. (l)

If the broad problem is one of solving space relationships, then the model used would be scaled and representing three dimensions. If the broad problem is one of relationship in time, then the detail would not necessarily be scaled. A schematic, then, is the pictorial representation of data in order to quickly and accurately indicate not only the facts but also their relationship of one to another.

### 2.2 Limitations

Schematics are generally thought of in relation to electrical or pipe circuits. This might be a good starting point - but only a starting point. For schematics are limited in applications only by the imarination
(1)

Sketching the facts of a problem is a schematic. Pictorially representing the design of any concept is also a schematic.
(2)

This could be anything from the assembly of the parts of a toy or wheelbarrow to the scaled diagram of the location of components in an internal combustion motor.
$\therefore:$ :nc: individual.
Schematics liave been developed for use in practically all lines of endeavor. Physics, chemistry, mathematics, philosophy, law, to mention but a few of the disciplines, use schemaiics. Without schematics to simplify the problem, advanced electronic layouts for control of spac? launching stations, etc., would be almost impossibly difficult.

The following paragraphs will give some principles and examples of schematics used in various fields. The examples will indicate principles that apply to each field. Please note that the principles could be applied to other areas and, in fact, the application of schematic principles of one field to another field suggests a limitless advantage for the solution of problems.

### 2.3 Coding

The use of a shorthand method of description is necessary for the realization of economy of effort $\mathfrak{I n}$ schematics. The use of a universal type code symbol suggests interchangeability and expanded usage. When using schematics standard handbook symbols are suggested. AST'I symbols, mechanical chemical and civil engineering handbook symbols are all usable.

As each drawing is developed it is advisable to indicate the code symbols used and their source or a table of definitions in some standard manner. (3) When no code symbols are used, then a simple block system may be used. A sample of this procedure is shown in figure 2.7.
(3) Regardless of whether standard symbols are used or special symbols are created for each case, a note or table is required for clarification. Each schematic must have indicated either the code used or a reference to a standard code.

### 2.4 Electrical Schematics

Inside the case of most television sets and radios is found the .. most usual type schematic, the tube layout or diagram of your set: Figure 2.4-1 shows a typical schematic. Here the code is the universal number assienned by the industry to tubes, condensers, etc.

Another sample of an electrical schematic is shown in Figure 2.4-2. Note here the standard symbols used to indicate the components.

From these simpler illustrations let us step to the more complex. Figure 2.4-3 includes an electric system and a representation of its control.

### 2.5 Pipe Schematics

To the engineer who is responsible for planning liquid and gas flow, a basic tool is the pipe layout or line flow schematic. In petroleum plants, chemical plants, in fact, in practically all plants, some part of the design involves flow lines. The efficient design of the plant is dependent on the flow pattern conceived. Pressure drops, line sizes, valves, pressure vessels, retainers, and other important feature of the system can be considered on the schematic layout.

Figure 2.5-1 is a typical chemical plant layout with flow, tanks, vessels, and pumps shown. Standard chemical engineering symbols are used. Figure 2.5-2 is the same.



Typioal electrioal schematio
2.4-2



Typical eleotrioal sohersatio

Sxperimental recovery plent flow chart

2.5-2
Irooess for acsotylene ard othylone from anphthe

Yigure 2.5-3 indicates one inge in a system. The parts of the system related to the line are also shown. Emphasis is the line drawn as a "double-line."

Figure $2.5-4$ is a simplified chemical process schematic.

### 2.6 Organization

The organization of a company, school, agency, government, n. any body of people bound together with a common purpose or function has a decided influence on its success, level of efficiency and even its life. A pictorial representation of relations, flow of aithority, communication, purpose, etc., will often focus attention of obvious cause and effect relations. One look may make obvious the solution of many problems that become graphically obvious.

Figure $2.6-1$ is a schematic illustrating the relationship of basic sciences to activity fields. Specifics to generalizations become apparent.

Figure 2.6-2 illustrates a system of responsibility: Solid lires indicate authority, dotted lines indicate staff or consulting.

Figure 2.6-3 illustrates a safety system. This offers a quick view of the whole system and shows if any necessary flow of command has been overlooked. Figure 2.64 relates control through compators to a dispatch system. The actual system is not shown but the control aspects are clear1y illustrated.


LABORATORY TIILDS
ACTIVITY
or
2.6-1 Disel supercharging Disel supercharging
hieb oompression Unconventional
 electric pomer $\triangle$
Molecular Structury


## DYNAMIC8

oil 111 m ball and -oller intergrated controls
Automatic guidanod intergrated controls Irotope application chrocatography Data coryutztion anc. coryutz

STMRTUP ORGANIZATION CBART
2.6-2


[^0]
## 2.7 rlow of Information

Information flow and/or communications schematics can be of several types and can actually belong in one of the other categories listed. $\Lambda$ simple form is shown in Figure 2.7-1. Note that inter and intra relationships become immediately apparent.

Figure 2.7-2 illustrates forms used for data control. Two forms are shown with the information inserted. From these data, flow charts are designed.

Figure 2.7-3 illustrates a comnlete production reporting system including computor recording. This illustrates key actions in a production record system.

Figure 2.7-4 is a status chart used to predict production schedules, lead times, and completion dates.

### 2.8 Plant Layout Schematics

Figure 2.8-1 illustrates a simple plant layout. Note the symbols used related to actual lookalikes. This schematic relates to one utility in a plant and is of prime importance to the engineer charged with this specific detail - the instrument air system.

In figure 2.8-2 the actual electrical distribution system of the plant is shown. Actual physical locations and relations are illustrated.

### 2.9 Material Flow Schematics

Figures 2.9-1 through 2.9-3 illustrate simple to rather detailed schematics that show material flow. Solids lines, double lines, dotted lines, fraphs, and symbols are varied to make the meaning more clear.

 2.7-1 $\begin{gathered}\text { 2.7 } \\ \text { INEMTORY CENTRAL Chart }\end{gathered}$


## PUNP CLFARANCES \& RUN - OUT TOLERANCES

## For Pumpi Pl - P2; Model SHB 2

## DESCRIPPTON

1. Throttle bushing olearnace
2. Shaft end play
3. Shaft radial play
(a) Coupling end
(b) Inboard ond
4. Shaft run out at etuffing box
5. Dlametral wear ring olearanoe
6. Impollor front olearance
7. Coppling face to fado
A. Seal perpendioular to shaft

DDOSNSION
$0.006^{n}-0.010^{n}$
$0.001^{\bullet}$ TIR•
$0.002^{\circ}$ TRR•
$0.002^{\prime \prime}$ TRR•
$0.004^{\prime \prime}$ TIR•
$0.010^{\prime \prime}-0.030^{\prime \prime}$
$0.025^{\prime \prime}$
$4^{10}$
$0.0005^{\prime \prime}$ smaximum


## STATUS CHART

| Contractor and proj. Mangara | Sourob | Cont. Number | Level of support (Mi2lions) | Duration | Started | Remaris |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| derojet-Cen. | 4 POSR | AF48(638)-656 | \$0.094 | 12 mos | Mar +60 | Basio studies of oharged ofl droplot iometion Hohlraum source (includes neutralization and negative ion generation) |
| Allson (Rosebrook) | In-hous | - offort | - |  |  | Theoretical analysis |
| Conveirmt. Fort (Sponrman) | In-. 01 | - offort |  |  |  |  |
| $\begin{aligned} & \text { ios } \\ & \binom{\text { rorrester }}{\text { Toem }} \end{aligned}$ | MLUD <br> (ARPA) <br> NASA | $\begin{aligned} & \text { AF33(616)-6958 } \\ & \text { NAS5-604 } \end{aligned}$ | $\begin{array}{r} 1.190 \\ .084 \end{array}$ | $\begin{aligned} & 15 \text { mos. } \\ & 22 \text { mos. } \end{aligned}$ | Mar ${ }^{*} 60$ <br> Sep'60 | 4lkali metal ion engine. Classified objeotives General investigation of oopious and effioient negative ion sources |
| $\begin{aligned} & \text { GE } \\ & \text { (Baldurin) } \end{aligned}$ | MSA | NAS8-29 |  |  |  | Includer in ing roaket periorm mance evalustion |
| (Edwards) | NASA | N1S8-29 | . 025 | 3 mos. | Aus ${ }^{1} 60$ | Cesium ion rooket perforunance oveluation, neutralization studies (Continuation of ABMA oontract) |
| (Edvards) | Nasa | NASO-623 | . 043 | 12 mos. | 00t ${ }^{160}$ | Alternate $10 n$ optios- comouter program |
| (Stanfier) | NASA | NAS8-628 | . 043 | 12 mos . | $00+160$ | Eleotrical oonduotion in ofslum rapowr |
| Grva <br> (Nablo) | Madd | Ar33(616)-7178 | . 280 | 12 mos. | Mar ${ }^{\prime} 60$ | Duoplasmatron. Classified objectives (atudy of ohange exohange neutralization) |
| Hughes (Currie) | NASA | N1S5-515 | . 490 | 12,1008. | 0ot'60 | Allali metal ion engine. Clessified objeotires |
| Marquardt <br> (Pitcin) | In-hous | - offort |  |  |  | Sputtering, eccondary emission, digital-ocmputer beam studies |
| Martin | In-hous | offort |  |  |  | Theoretionl |
| $\begin{aligned} & \text { NASA Lowris } \\ & \text { (Childs) } \end{aligned}$ | In-hous | offort |  |  |  | General RtD, 15 man years plus equipment |
| (Tautman) <br> Pratts Whitney <br> (UAC) | In-hous | offort |  |  |  | Bombardnozt type ion engi:3e |
| (Moyerand) | In-hous | - effort |  | - |  | Peening souroe, general researas |
| Roaction motars (Wolfhard) | AFOSR | Ar49(638)-657 | . 153 | 12 mos | Doo'59 | Bohavior of metallic dust during oharging process |
| Rocketdyne (1.o Dole) | Inchous | effort |  |  |  | Continuation of program proposed to NASA |
| (Mo Dole) | WA? | Ar33(S16)-5927 | .100 | 12 mos. | Junc60 | Pore olze, materiais, fs varor rressure, fleld gradient at surface of omitter |
| (MoDole) | MADD | Ar33 (616)-7622 | . 100 | 12 mos. | rune 60 |  |
| STL (Krohr | MADD | 1F33(616-6775 | . 137 | 18 mos . | sư $15 ;$ | Basio studies of charged drepletsoi liquid Woods motal |
| (Langmuir) | SKSh | NASB-41 | .097 | 12 mos | 00t'60 | Ionatom ratio: suriace diffusion oosfiloient of Cs on H ; sbaping; miem ion dependence on pore size: donsity, tomperature, eto. |
| TRY (Langrois) | ifosp | Ar 49(638)-886 | . 092 | 12 mos. | May'60 | Cencral neutralization etudies |
| (Mrenoh) 0 | Hess | NAS8-42 | . 092 | 22 mos. | 00t'60 | innular duoplasmetron, improvement of 3 in . diam. ouroes comtinous operstion |


Instrumont supply mir Sobesatic
?.8-:


HHCTRICAL DISTRIBUTION SYSTEM

$$
2.9-1
$$



LITR-SUPPORT SYBTMM FOR MEDIUK-DURATION MISSION


Automatio ohemioal fead syatom
1 Two 10,000 1b. per hour staroh driers. 2 Two Alrveyors purip dried atarch to
3 Starch was bagged here and taken over old route to storage.
4 Now Airveyor route is direct; passes
through or over obntruotions.
Airreyore reclain stored starch, deliver

FNEUNATIC CONVEYDNG SYSTEM
2.9-3

### 2.10 Incidcats Type

Figure 2.10-1 illustrates dimensions of pump operating characteristics and it is possible to look at this and quickly find a : ump which fits specific needs. Three variables and one constant are shown in each diagram.

Figure $2 \cdot 10-2$ is a unique illustration of a process chart. This illustrates the system in terms of generalized concepts but not in actual specifics.

Figure 2.10-3 pictorially illustrates several aspects of manned space flight.

### 2.11 Process Systems

In figure 2.11-1 the three components of a reactor process are shown. The product, radiation, and its control can be visualized from the drawing. Figure 2.11-2 illustrates the operation of a modern fuel cell.

### 2.12 Mathematics and Equations

In figure 2.12-1 the equation for measuring properties and relating these properties mathematically is represented. Figure 2.12-2 is a schematic representation of a nomograph. Figure 2.12-3 is a chart schematic which relates circuitry to mathematical equations.

### 2.13 SUMMARY

From the examples shown it is obvious that schematics have applications in many fields. It is suggested that the absolute limit to the use of schematics

2.10-1


Solar-tomeleotrical energy conversion system

2.11~1


2.12-1


2.12-2


$\mathrm{NH}^{-4}$

Explavation or swerols
goluarion 18.3 Heating with a gaoketed ressel or 0011 in tank zauntras 18.11 Cooling with a jackoted vessel or coili in tank LRUATION 28.16 Heating with an extornal exobanger monation 18,17 Cooling with an external exobanger
2.12-3

| companzat | SWABOL | CTRCUIT | MUTHDMATICAL OPRRATION |
| :---: | :---: | :---: | :---: |
| HIGH CANS OPLRATIONAL NPLIFIEP. |  |  |  |
| OP:HATIONAL MPLIFIER <br> USED AS A SUMMRR <br> and sign ctanger |  |  | $\Sigma_{0}=-\frac{R_{0}}{R_{1}}\left(\Sigma_{1}+E_{2}\right)$ |
| OPLRATIONAL ANPLITIER <br> USED AS AN INTDGRATOR' |  |  | $s_{0}=-\frac{1}{R C} \int_{c}^{t} E_{1} d t$ |
| POTRNTIONETER ATIZNUATOR |  |  | $x_{0}=X_{1}\left(\begin{array}{ll}\text { ( }\end{array}\right)$ |
| HLECTRONIC MULTIPLIER (2 TARIABLES) |  |  | $E_{0}=-\frac{E_{1} \Sigma_{2}}{100}$ |
| TUSICTION GENERATOR |  |  | $E_{0}=f\left(E_{i}\right)$ |

Primary Punctional components of an anslog oomputor
is only the limit of the imapinat, re of nen. Any time a simplifies it. aut or picture of a difficult rroblem, in any field, presents itself, the appiacation of a schematic may make it possible to identify the cract, problem and also to surpest alternetive solutions.

The procedures suggested are meant to mepare you tr think ir terms er alternatives, they are not meant, in ce limiting nor to be all incluaive. To further broaden your insight into usos of schematics here are some prohlen sets.

### 2.14 Problems

1. With the following lot layout show a schematic of the Irvest cost. sprinkler syster that fits the lot. Dverlaps are remitted. No uncovered areas allowed.

$\oplus$ Full head 2C' dia ci"cle - h.
$\theta$ 1/2 head 1,2 ni"cle - 3 ant
IF 80 cents
H 60 cents
I ${ }_{1.5}^{30}$ cents $/ \mathrm{ft}$.

$$
\pm 1.50
$$

2. Kake a schematic of the college registrition sjrstem. Fut sugeesten: improvements on the system.
3. Show a homr with ? nutside noors anin ! coteide lig!its. Indicate complete on-off cont.acl with minimur switches at each doner. 2 :ircuit only rutside.
4. Draw a schematic of a coin chani:er. 4 ceins and sluge,
5. Illustrate a 3-dimensional tnilu: jeyonit. for 3 fixtures in a batrivoun on 2 walls min.
6. Make a Table representation of the steps in requisition suprlies for a military unit.

[^0]:    Redar skyscreen
    Blockhouse oreration
    4. cbeck:out console

    Carsere.
    かNNN N

