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| Basic Mathematics Review Program at Essex Community |  |

## ABSTRACT

Barsic Mathematics Review (BMR) is a remedial non-credit course at Essex Commity College (Maryland) being taught on an individualized basis. Following diagnostic testing and placement, instruction utilizes programmed materials, tutors, and self-tests. Evaluation of the new individualized EMR and comparison with the traditional remedial course resulted in several conclusions: (1) students succeeding in BMR achieved significantly higher in credit mathematics courses than students not required to take BMR; (2) students who did not pass BMR, but took credit math courses, failed to achieve above "D" grades; (3) a greater percentage of students re-enrolled after failing BMR than those who failed the traditional course; (4) withdrawal percentages in credit math courses were lower for BMP graduates than for those not required to take BMR; (5) a smaller percentage of students passed the individualized BMR than the traditional remedial course; and (6) students who re-enroliled in BMR after failing had about the same rate of success as first-time students. (RN)

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# an Investigation of the relative effectiveness 

Of THE BASIC MATHEMATICS REVIEW PROGRAM-AT
essex community College

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#### Abstract

Essex Community College is a two-year public co-educational institution offering day and evening classes to both part-time and full-time students. The school has maintained an open door policy to all the citizens of the community which it serves; that community being a section of Baltimore County, Maryland which is predominantly blue collar.


Basic Nathematics Review ( $B \times M$ ) is a three semester hour nor-credit course provided for and required of those students whose high school grades, course content, or $\operatorname{S\Lambda I}$ ' scores indicate a need for additional preparation for the credit mathematics courses which will meet their curricular needs. In February, 1970, the Mathematics Department at Essex under the chairmanship of Mr. G. Norman Dreisch abandoned a traditional classroom approach to $B: M$ and instituted a math lab environment in which students work at individual carrels using programmed materials exclusively.*

The individualized approach to BMR requires that an entering student be given diagnostic tests to determine his starting position in the program. After testing and placement the student is counseled individually to determine his choice of credit mathematics courses and a prescription is written indicating the required segments from $B i \not R$ and the approximate times needed

* The primary source of these materials was Programmed Algebra, Parts 1 and $\underline{2}$ by Alwin and Hackworth.
for combletion. The student then begins working with these materials at his own pace. To eacli class of approximately 50 students, two instructors are assigned with their total responsibility in BIR being to serve as tutors when students encounter material they do not understand or problems they cannot solve. ill clerical responsibilities (i.c., issuing and correrting tests, keeping performance records, etc.) are handled hy fulltime para-professional help. In addition, a skills counselor is assigned to each class to work with those stulents whose problems indicate basic difficullies in Reading or Study Skills.

Ihroushout each unit the student takes self test: to measure his prooress. When the student feels he is prevared, he requests a unit test from the para-professional which he completes at his own nace. The cest is graded immediately and is returned to the student by one of the instructors who works with the student to correct and analyze any errors. A grade of $80 \%$ is required of the student to progress to the next unit. If this grale is not attained, the student revievs the material from the unit(s) witich he and the instructor feel are the cause of his deficiency. this procedure is continued and the student is re-tested until the deficiencies have been corrected.

Students who complete their prescriptions before the end of a fiven semester are free to leave the course or may continue with supplementary materials. These students are siven " $S$ " srades enabling them to begin their credit courses in mathematics during the next semester.

Students who fail to complete their prescriptions are given either "W" or "I" grades and are required to continue in BMR the next semester. Students who are close to completion can arrange to finish their required materials between semesters. In the Spring Semester of 1970 only, a "I:" grade was used to indicate that the student made little or no progress toward completing his obligation in BlHR. (Beginning with Fall, 1970, the " $S$ " grades were subscripted $c o$ indicate the credit courses for which the student had qualified.)

This paper represents the first serious attempt to collect, analyze, and disseminate data relating to Basic Mathematics Review during its early developmental stages.

## The data

A. The traditional approach

1. Student performance in

Cum. \%





| Grade |
| :--- |
| A |
| B |
| C |
| D |
| F |
| W |
| I |
| Total |


courses (Spring 1976) of in
students never enrolled in BMR
Cum. \%

 $\dot{\square}$

$\dot{4}$

| Performance in credit math courses (Spring 1970) of students who passed the traditional BMR (Fall 1969) |  |  |  |
| :---: | :---: | :---: | :---: |
| Grade | Freq. | \% | Cum. \% |
| A | 3 | 4.6 | 4.6 |
| B | 9 | 13.6 | 18.2 |
| C | 24 | 36.3 | 54.5 |
| D | 10 | 15.1 | 69.6 |
| F | 7 | 10.6 | 80.2 |
| W | 12 | 18.2 | 98.4 |
| I | 1 | 1.6 | 100.0 |
| Total | 66* |  |  |

 students who did not complete BMR (Fall 1969) ** Grade 3.
5. Performance in BMR (Spring 1970) of students continuing BMR
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4．Performance in credit math courses（Fall 1970）of students never enrolled in BR $\%$ •யnう \％boxy əредл

No．rococo NaN NイNがNシ | Freq． |
| :--- |
|  |
| 27 |
| 58 |
| 70 |
| 30 |
| 24 |
| 64 |
| 22 | Grade

のソロルぶ To＇cal 295 5．Performance in BMR（Fall 1970） of students continuing in BM． Frequency


Performance in credit math courses（Fall 1970）of students who passed the inti－ vidualized BMR（Spring or

Cum．\％

$\%$




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The data which has been collected for this paper provides some positive conclusions relating to the individualized Basic Mathematics Review course:

1. Students succeeding in the individualized BMR achieved significantly higher in credit mathematics courses than students not required to take BMR. This is in sharp contrast to the traditional BMR "graduates" who achieved somewhat lower in credit courses than the students who were not required to take $B M R$.
2. All of the students who did not pass the individualized BMR but took credit math courses anyway failed to achieve above " $D$ " grades in their credit courses. This indicates that BMR may at least provide a necessary condition for success in credit math courses.
3. Of the 172 students who did not succeed in the individualized BMR, 20 re-enrolled in the course. This is in sharp contrast to the 81 students not passing the traditional BMR, 2 of whom re-enrolled in BirR.
4. Withdrawal percentages in credit math courses for the individualized BMR graduates were slightly lower than for
> those not required to take BMR. Apparently the "work at your own pace" aspect of BMR does not effect the student when he re-enters the pace of the traditional classroom.

On the non-positive side, we have the following:

1. A significantly smaller percentage of students passed the individualized BMR than passed the traditional BMR. This may indicate that the individualized $B M R$ does not prepare its students for credit math courses better than the traditional BMR but only raises the standards for preparation; hence the individualized BMR gets better results from its graduates.
2. Continuing students in the individualized BMR had about the same percentage of success in BMR as students enrolled for the first time. It should be noted that the implications here are not necessarily negative.

In all, the data and conclusions indicate that the individualized Basic Mathematics Review course shows promise. However, what must follow this investigation is an attempt to determine the reasons why so many students fail to complete their prescriptions in BMR. We at Essex must determine whether or not the present system stifles some of our students or whether the causes of
their failures are unrelated to BMR. If the former is true, we must begin the most difficult task of all: to determine why the present system facilitates these failures and how to modify the system accordingly.

